

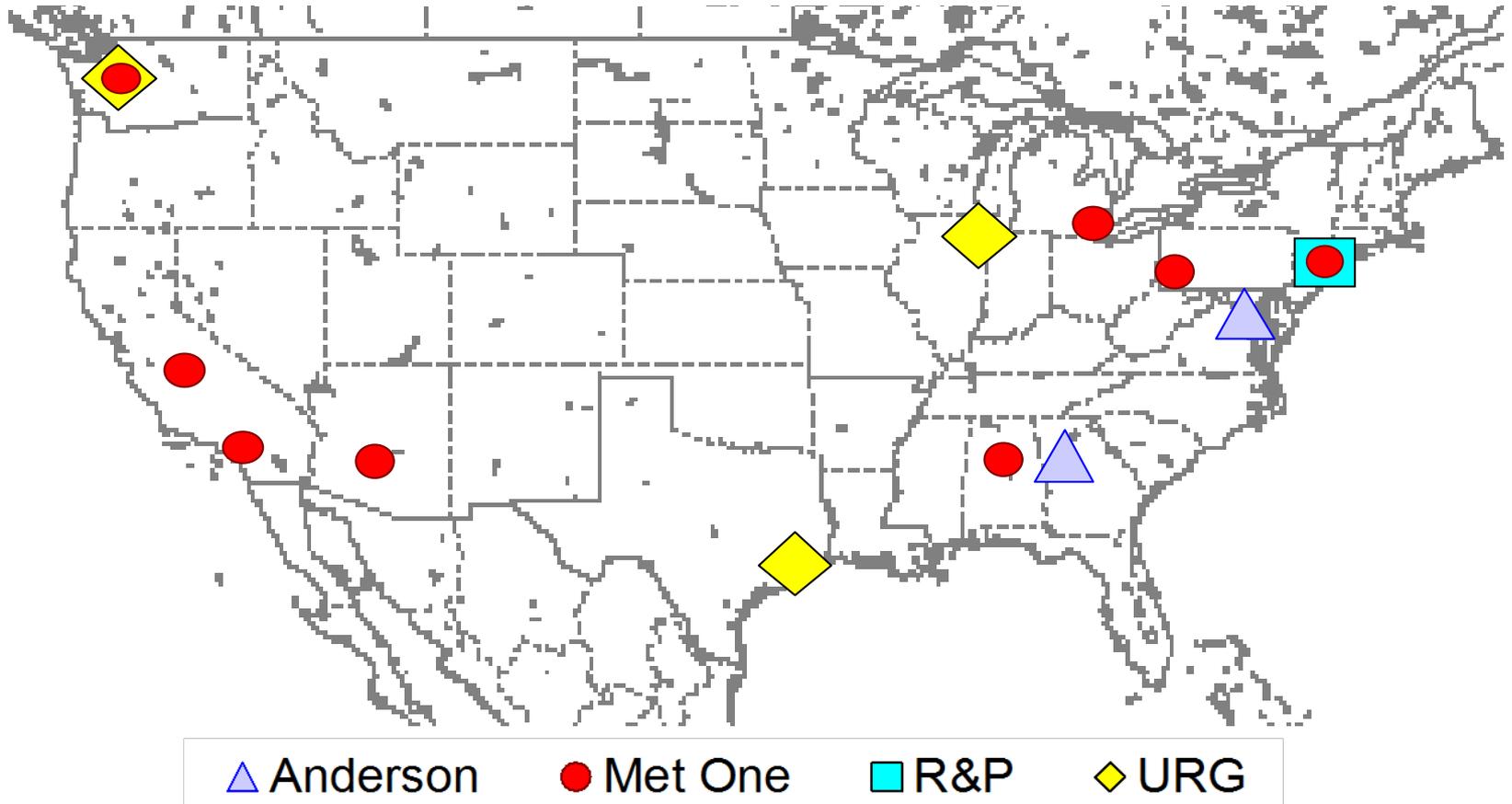
Estimating Atmospheric Scattering From Speciated PM_{2.5} Measurements

The background of the slide is a photograph of Bryce Canyon National Park. The image captures the rugged, layered rock formations of the canyon, with numerous tall, thin spires and hoodoos. The lighting is bright, highlighting the textures and colors of the sandstone. The sky is a clear, pale blue, and some green pine trees are visible in the lower parts of the canyon.

Sampler Intercomparison and Artifact Correction

- 1) Comparison of carbon across samplers
 - All Slides from Warren H. White, 16 April 2008
EPA workshop
- 2) Converting the CSN carbon concentrations to match IMPROVE on the average
 - Accounting for positive additive and multiplicative negative artifacts
 - Accounting for different thermal optical methods.

Comparison of IMPROVE and CSN Carbon at Collocated Sites



EXPECTATION:

$$[\text{TC}]^{\text{CSN}} = [\text{EC}]^{\text{IMP}} + (1+B^{\text{IMP}*})[\text{OC}]^{\text{IMP}} + A^{\text{CSN}}/V_{\text{MetOne}}$$

OLS REGRESSION:

$$[\text{TC}]^{\text{CSN}} = (1+b_{\text{EC}})[\text{EC}]^{\text{IMP}} + (1+b_{\text{OC}})[\text{OC}]^{\text{IMP}} + a_1 + \dots + a_{12} + e$$

2005-6 observations at 7 MetOne sites (excluding Phoenix):

$$b_{\text{EC}} = 0.008 (+/-0.05)$$

no sampling artifact for IMPROVE EC

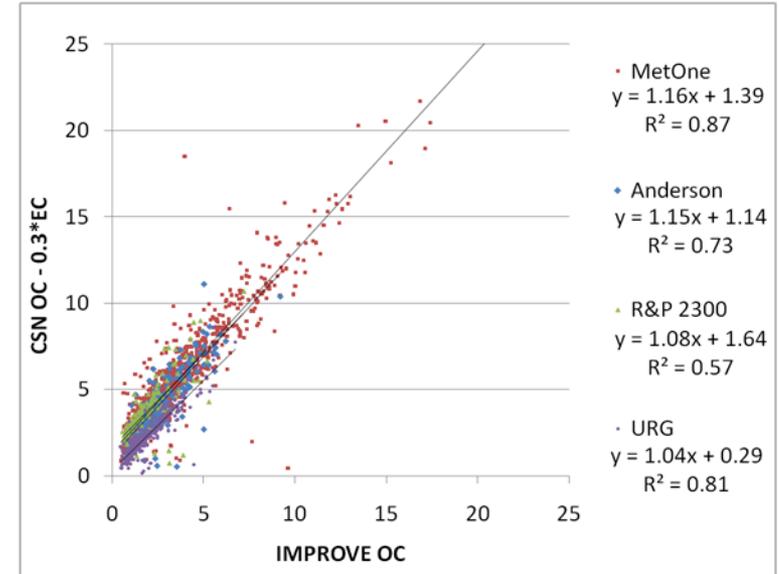
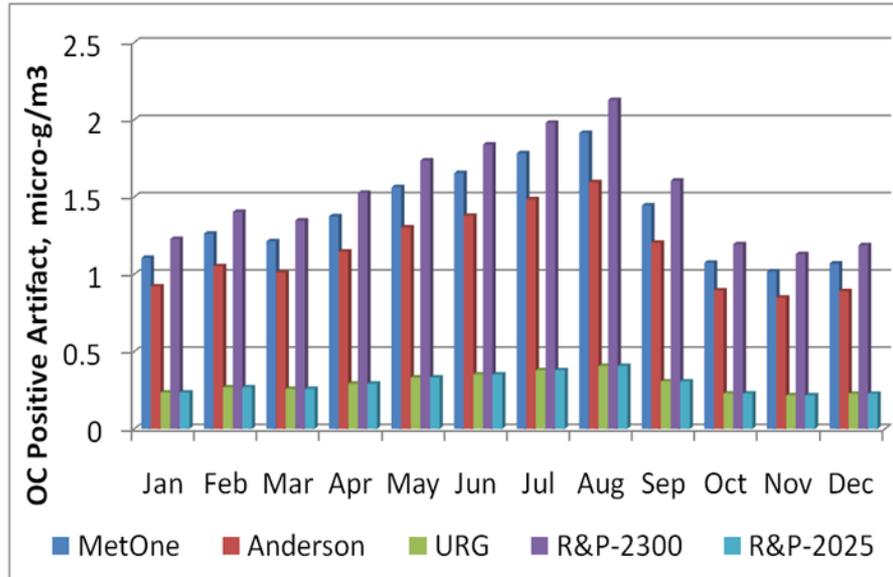
$$b_{\text{OC}} = 0.22 (+/-0.03)$$

~ 20% sampling loss for IMPROVE OC

$$\text{rms}(e) = 0.9 \text{ ug/m}^3 \quad (r^2 = 0.94, n = 728)$$

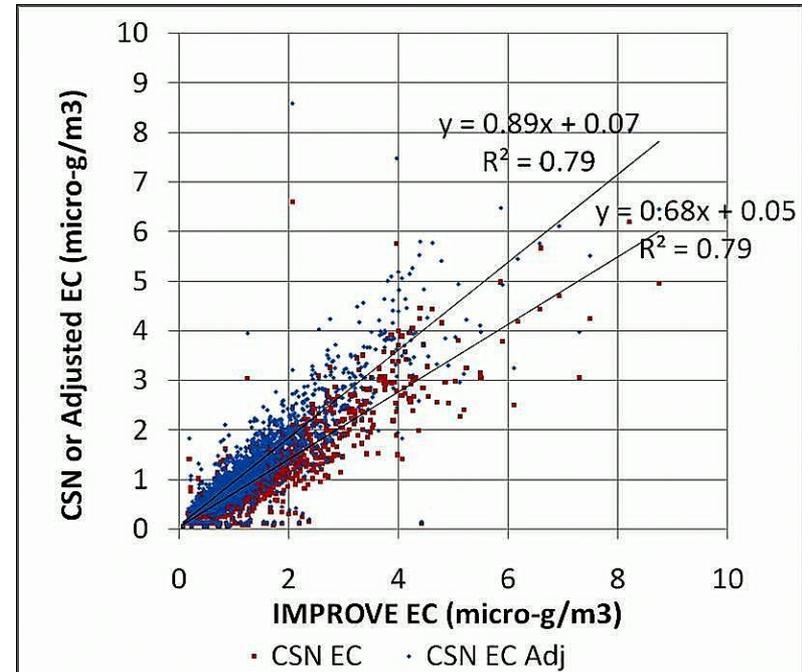
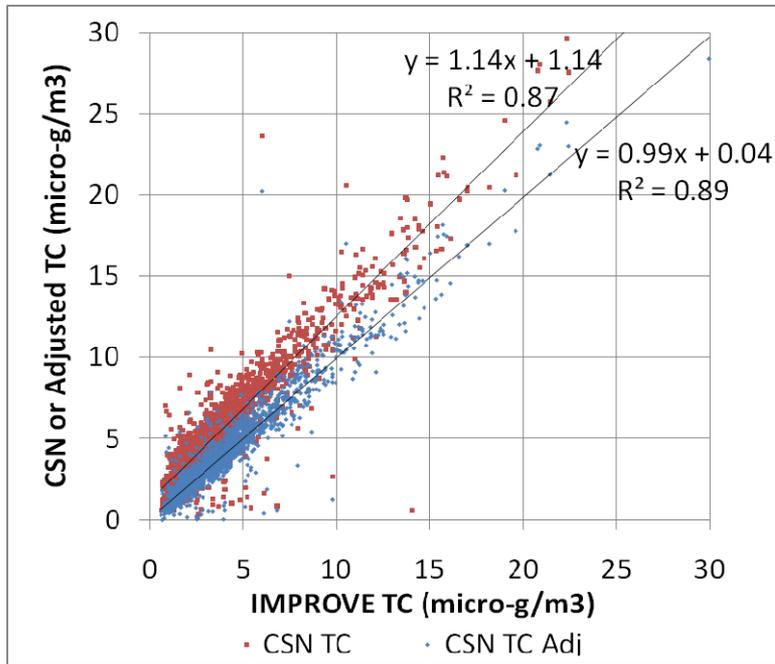
$a_{\text{mm}} \rightarrow$ next slide

Monthly Positive Additive Artifacts



- Positive artifacts for the other were estimated by scaling the MetOne artifacts
 - For each sampler the CSN ($OC - 0.3*EC$) was regressed against the IMPROVE OC
 - The scalars were the ratio of the regression intercept for each sampler to the MetOne intercept
- A similar process was used to estimate the negative multiplicative artifact for each sampler

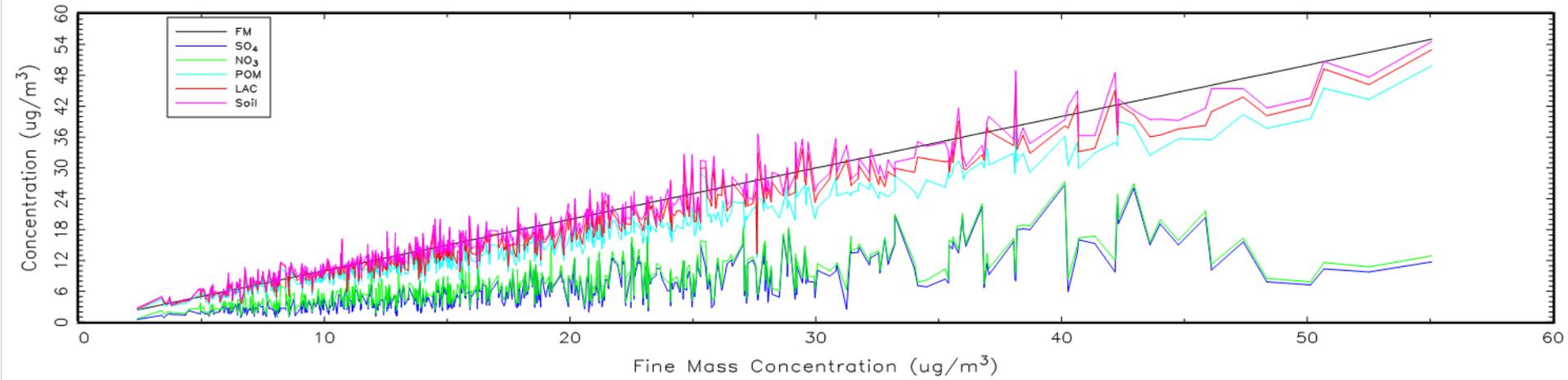
Comparison of CSN and adjusted CSN to IMPROVE Carbon



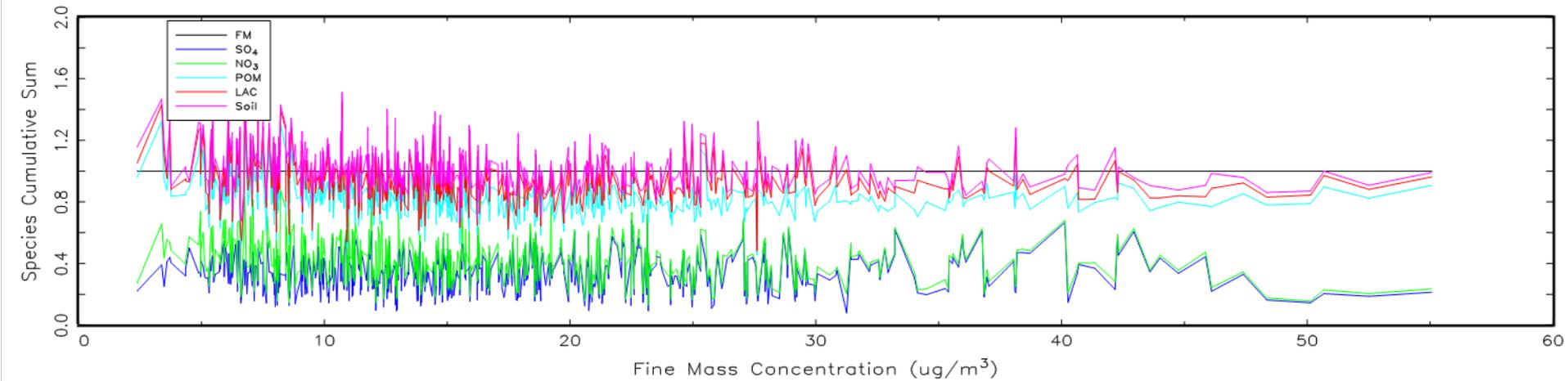
Bias Between Estimated Fine Mass and Gravimetric Fine Mass and

Bias as function of mass

BIRMINGHAM



BIRMINGHAM



Governing equations

$$FM = [xSO_4 + NH_4NO_3]f'(RH_{lab}) + OCR_{oc}(\text{lots of stuff}) + LAC + Soil + SSf'_{ss}(RH_{lab})$$

$$b_{sp} = [e_{xso4}xSO_4 + e_{NO3}NH_4NO_3]f(RH) + R_{oc}OCf_{pom}(RH) + e_{LAC}LAC + e_{soil}Soil + e_{ss}SSf_{SS}(RH)$$

- $x=(NH_4)_2SO_4/H_2SO_4 \leq 1.35$ – lowest in summer – acidic aerosol
- $f'(RH_{lab}) = \left[\frac{\rho_{mix,species}}{\rho_{species}} \right]^3 \left(\frac{D}{D_o}(RH_{lab}) \right)^3$ highest in summer $(D/Do)^3 \approx 1.3$
- FM biased low because of volatilization (nitrate, SVOC, etc?)
- R_{oc} (lots of stuff) probably highest in summer months
- $f'_{ss}(RH_{lab}) \approx 1.1$
- e_{xso4} and e_{nh4no3} probably highest in summer months
- $f_{pom}(RH) \approx 1.1-1.2$ – seasonal dependence ?
- $f_{ss}(RH)$ significant!

$$R_{oc} = ?$$

Mass approach

- Other = $(\text{NH}_4)_2\text{SO}_4 + \text{NH}_4\text{NO}_3 + \text{Soil} + \text{LAC} + \text{SS}$
- POM = FM - Other
- $R_{oc} = \text{POM} / \text{OC}$ (Scatter plot – average slope)

Regression approach

- $\text{FM} = a_1 \text{Other} + a_2 \text{OC}$

Seasonal Considerations

- $R_{oc}(\text{seasonal}) = (\text{FM} - \text{Other}) / \text{OC} = b_0 + b_1(\cos(f(t)))$

$$\text{NO}_3 = ?$$

Regression Mass approach

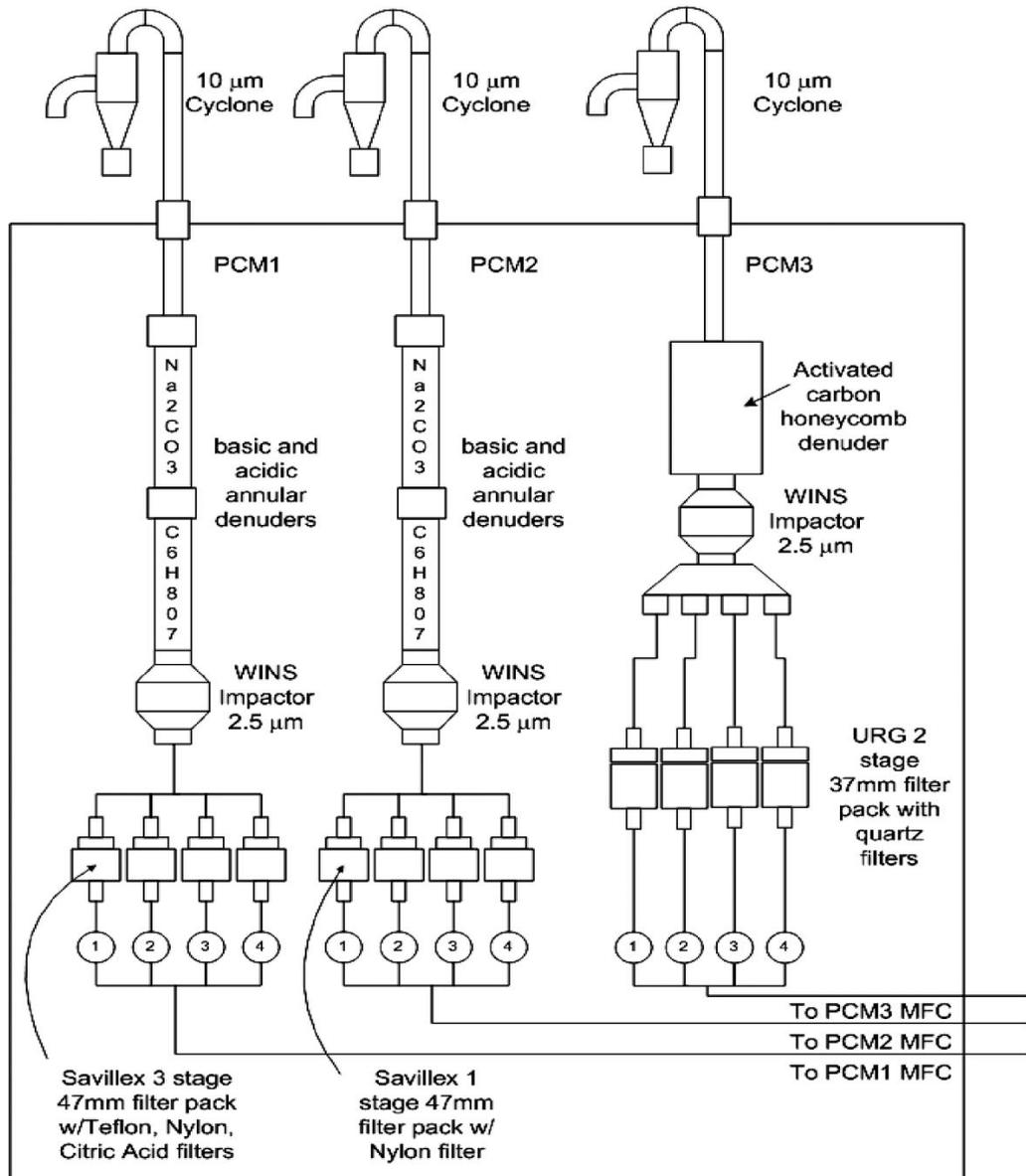
- $\text{FM} = a_1 \text{SO}_4 + a_2 \text{NO}_3$ (total or Teflon) $f(\text{seasonal}) + \dots$
 - Teflon and Nylon substrates

$$\text{Water} = ?$$

Seasonal Regression Mass approach

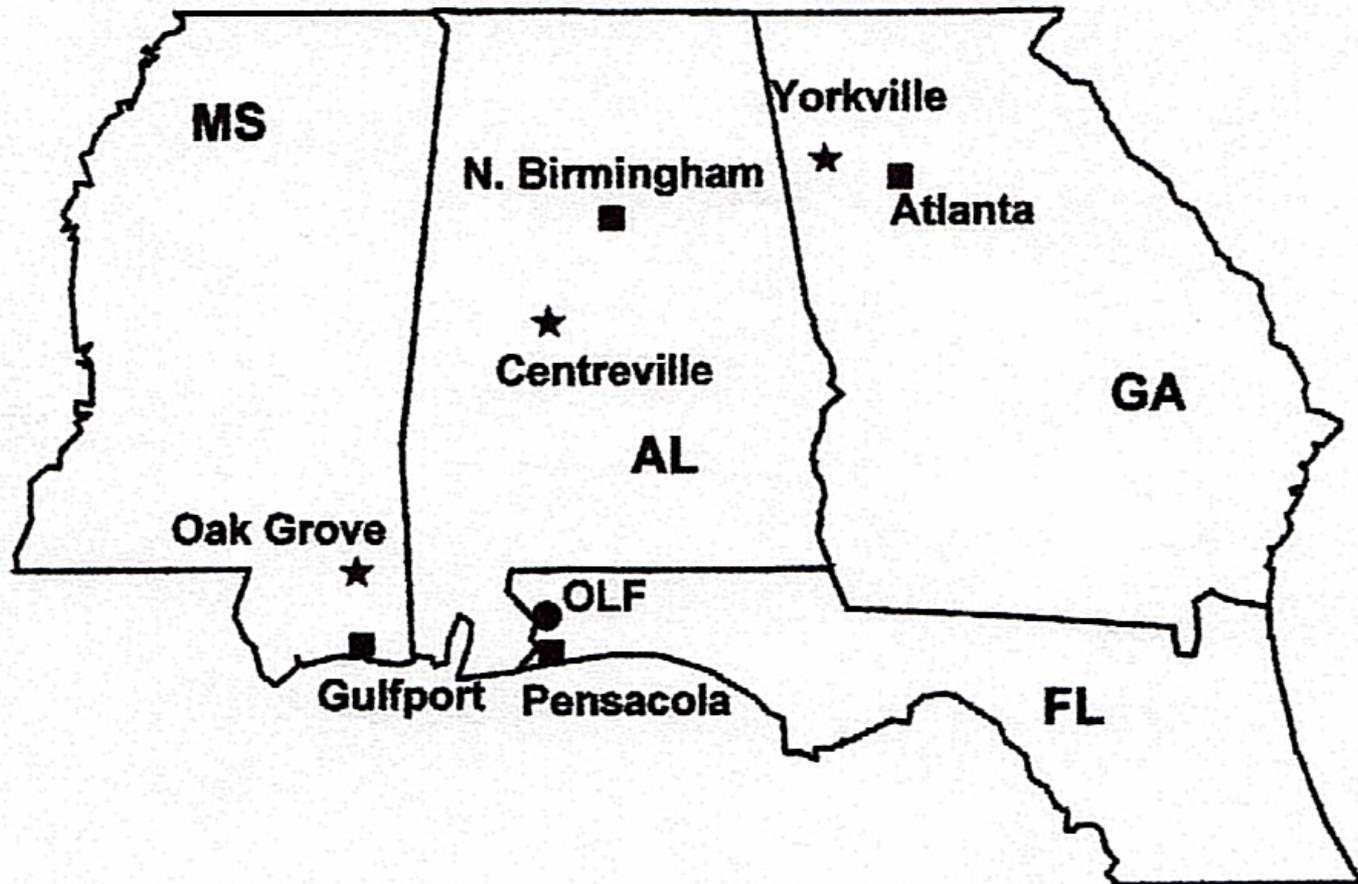
- $\text{FM} = a_1 (\text{SO}_4 + \text{NO}_3)$ (total or Teflon) $+ \dots$

ARA Particle Composition Monitor (PCM)

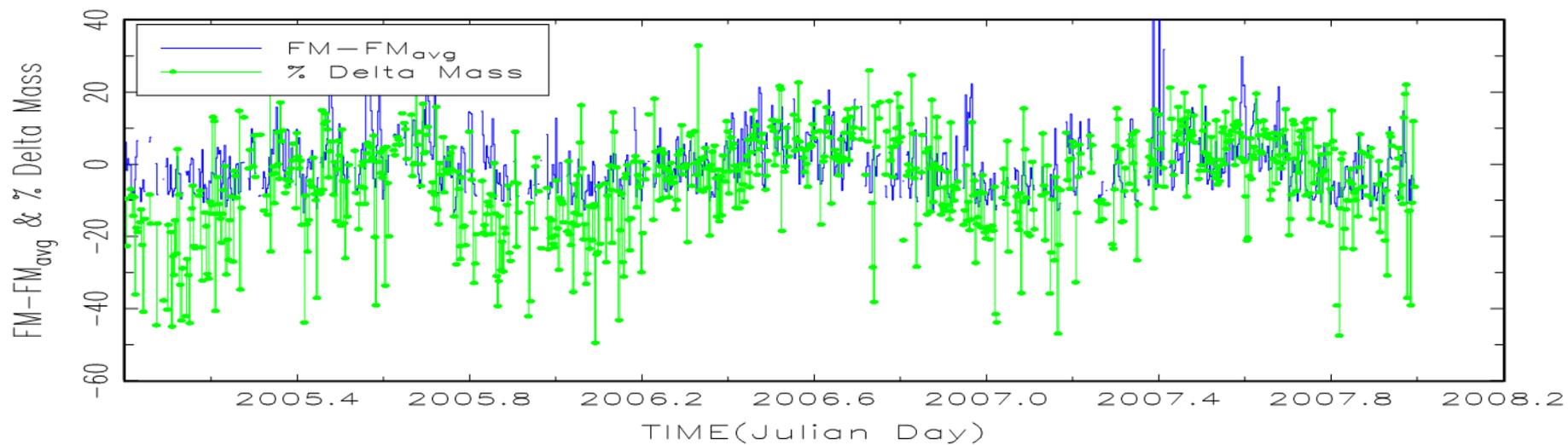


SEARCH MONITORING LOCATIONS

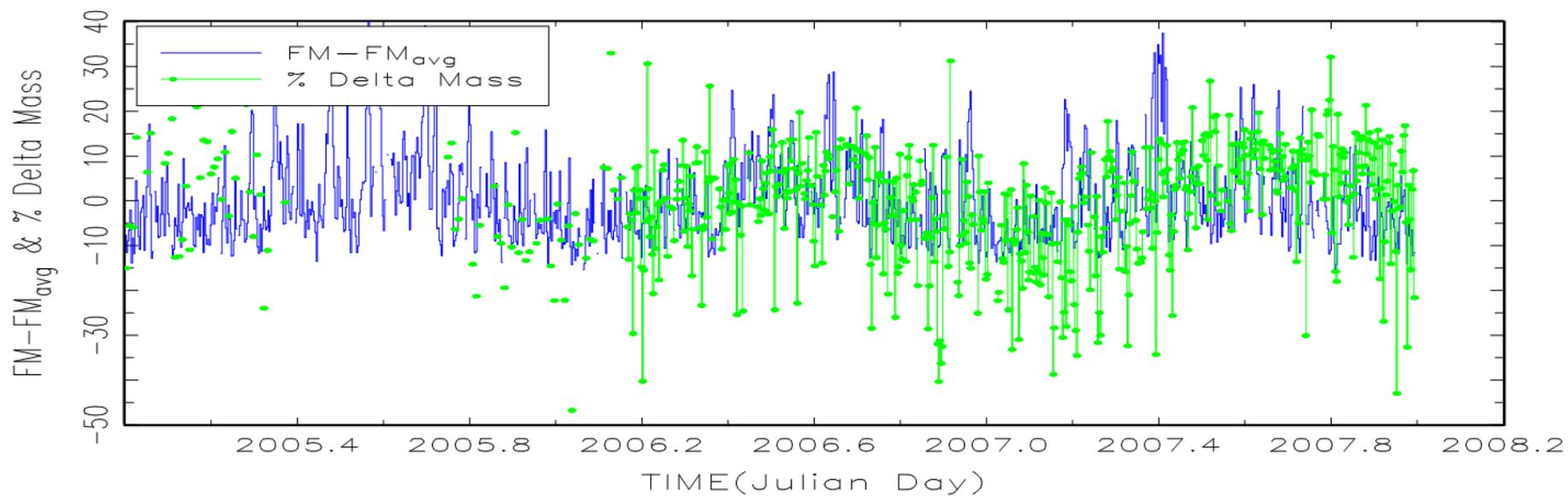
★ rural ■ urban ● suburban



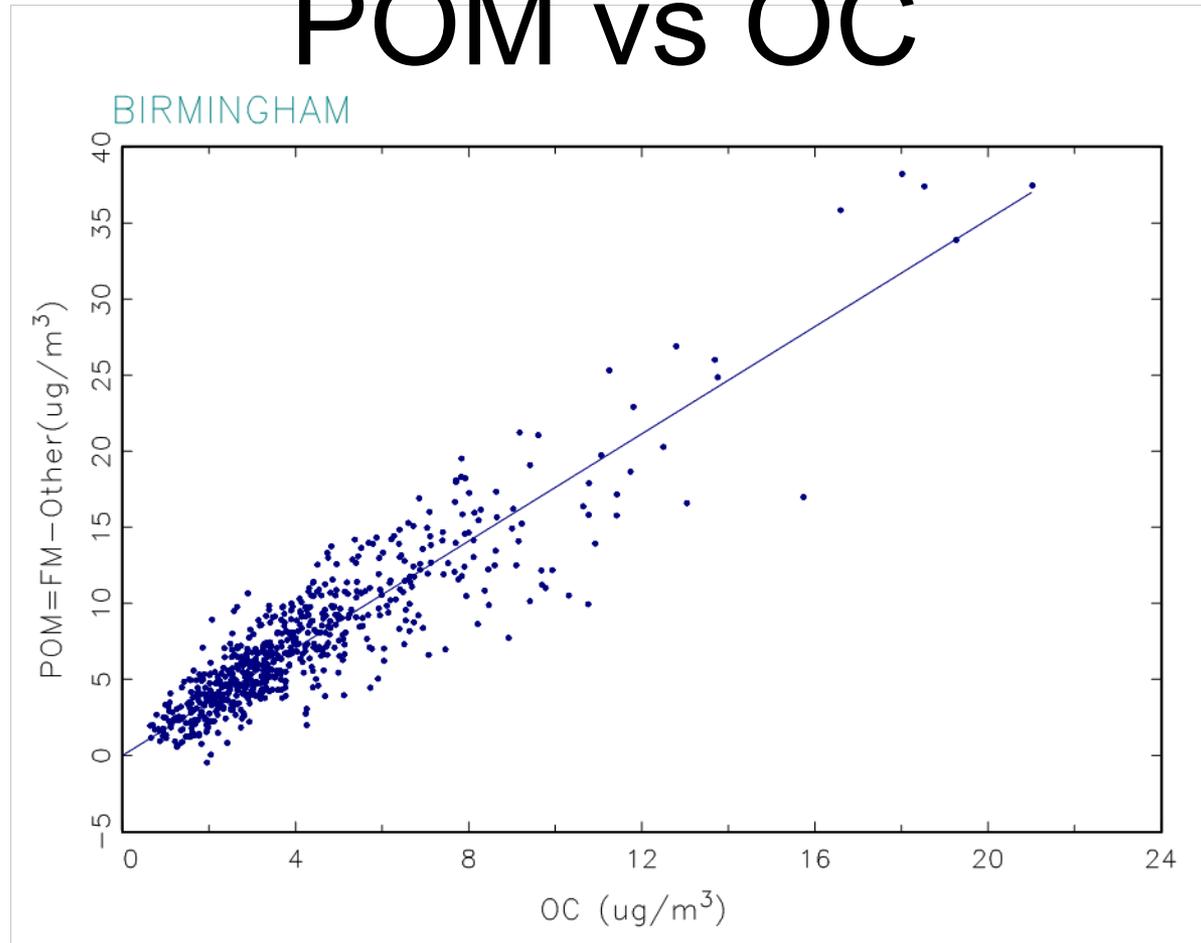
ATLANTA



BIRMINGHAM



POM vs OC



R2=0.81

Variable	Standard Estimate	Error	t-value	Prob > t
X1	1.762664	0.017235	102.274676	0.000

Seasonal Curve Fit Analysis

$$\text{Roc}(\text{seasonal}) = (\text{FM} - \text{Other}) / \text{OC} = b_0 + b_1(\cos(f(t)))$$

Birmingham

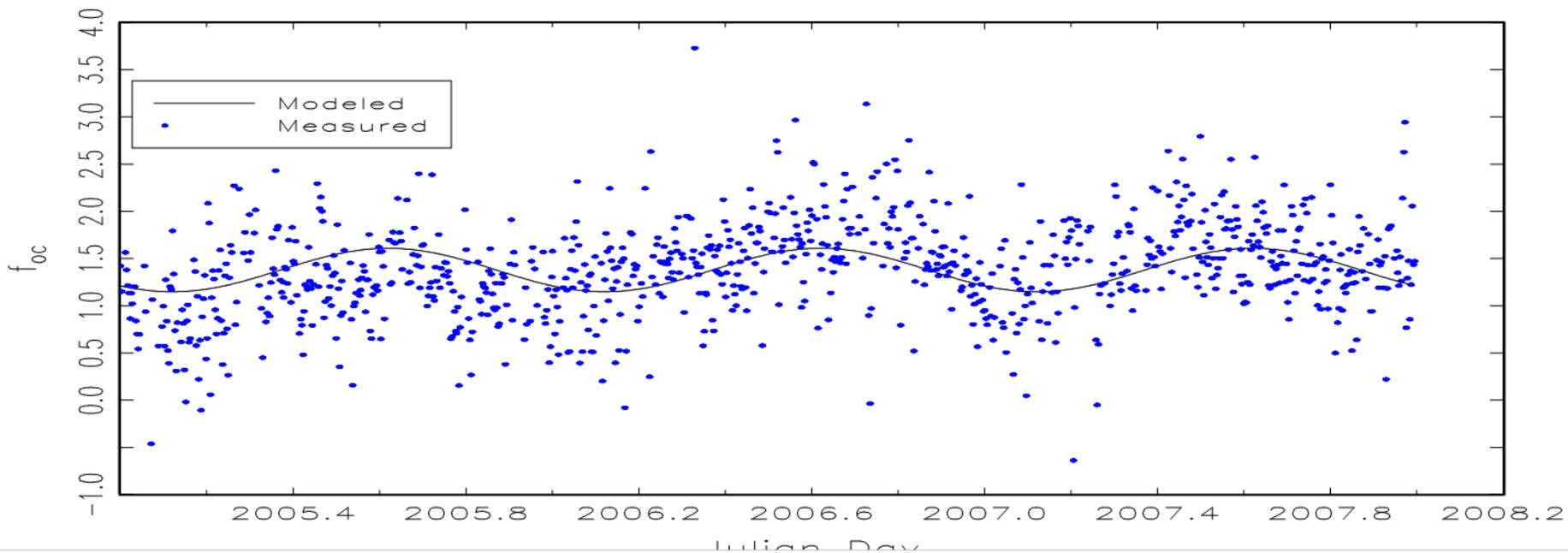
Curvefit – seasonal variability

Number of cases 652

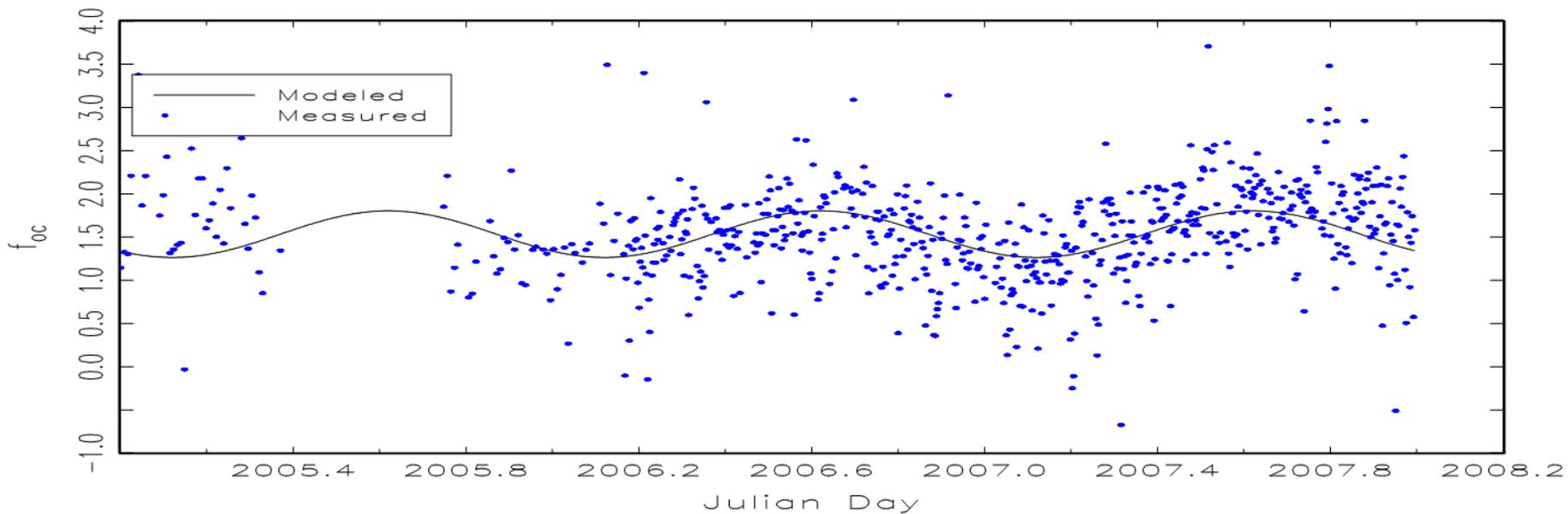
Parameters	Estimates	Std. err.	Est./s.e.	Prob.	Gradient
P01	1.524020	0.036735	41.487	0.0000	-0.000024
P02	0.619287	0.060824	10.182	0.0000	0.000014

$R_{oc} = 1.83$

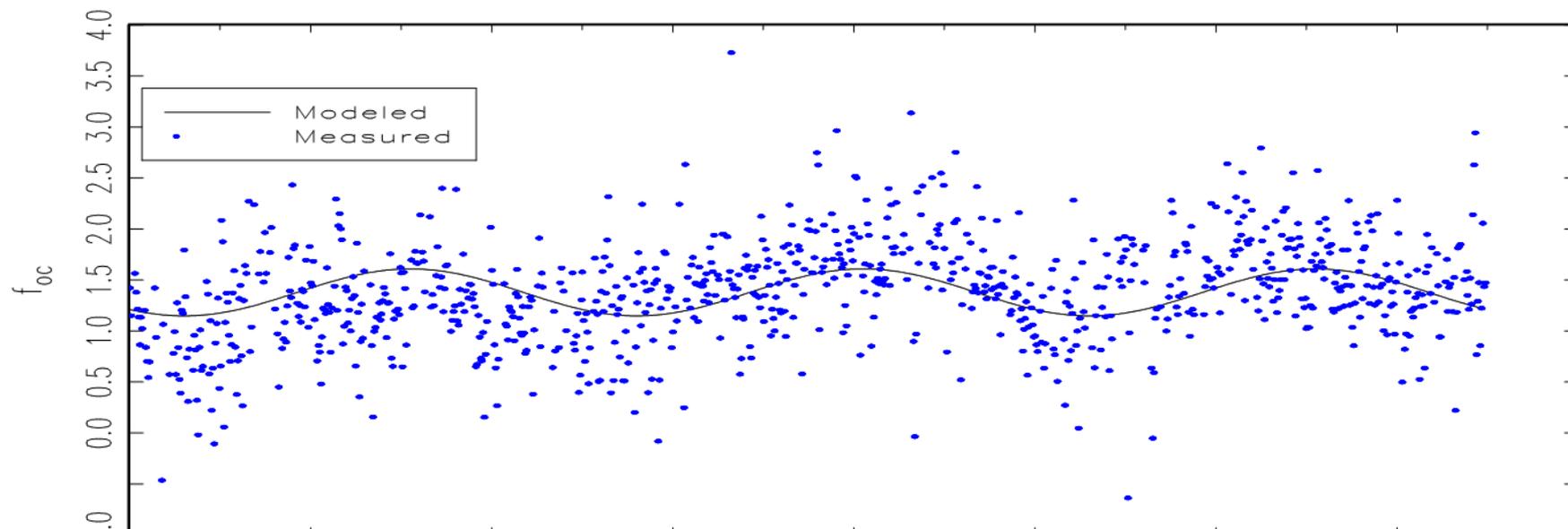
ATLANTA std err= 10.21



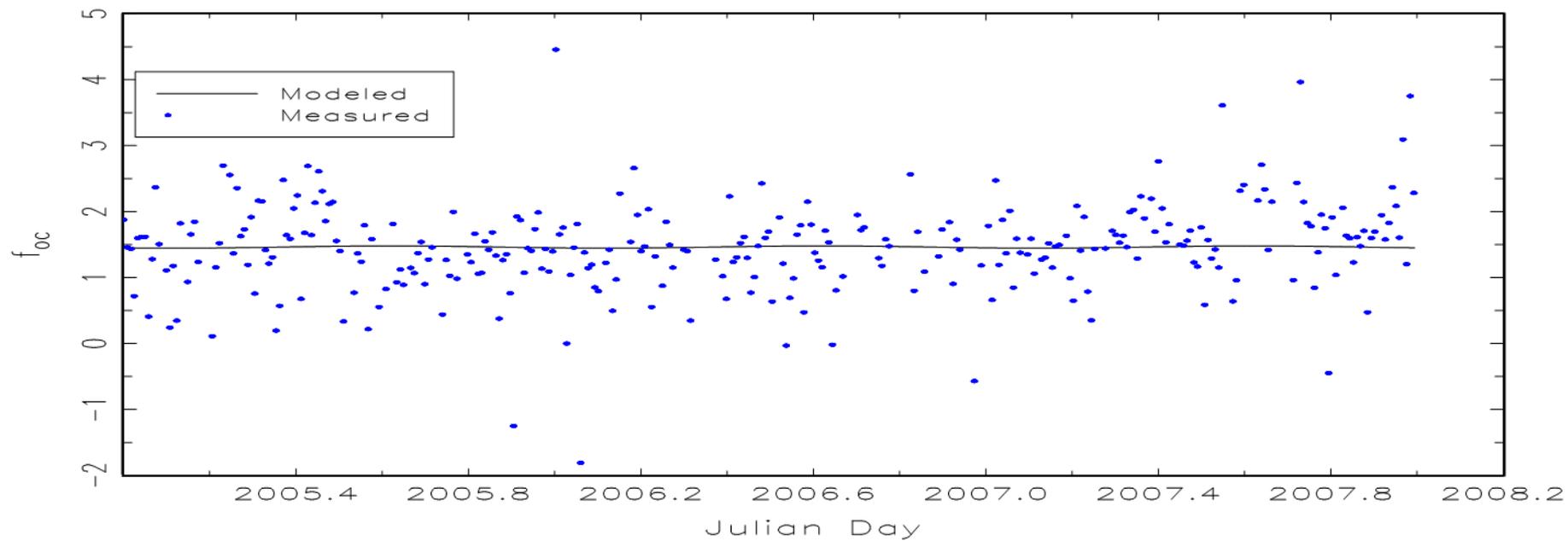
BIRMINGHAM std err= 9.08



ATLANTA std err= 10.21



OUTLYING std err= 0.29



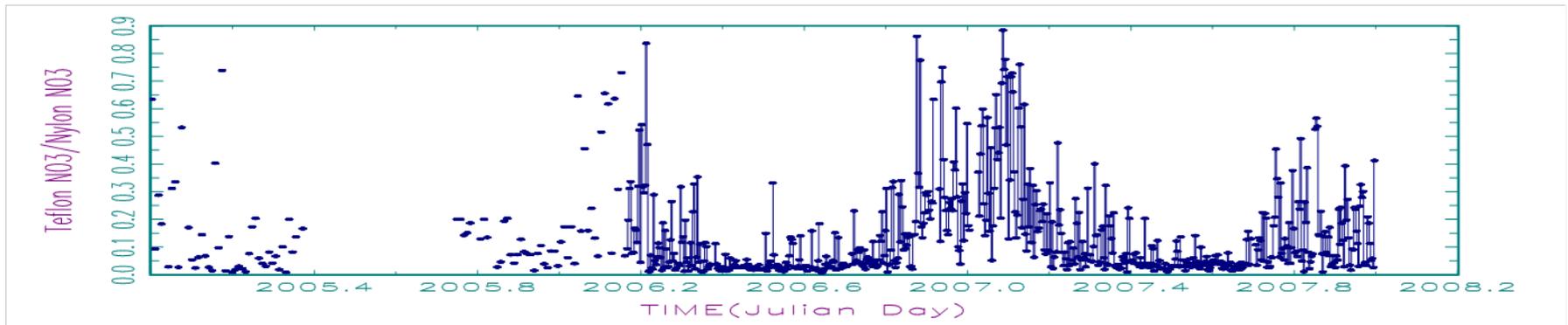
Estimated water

Birmingham $FM = a_1 \text{Other} + a_2 \text{OC}$

R-squared:

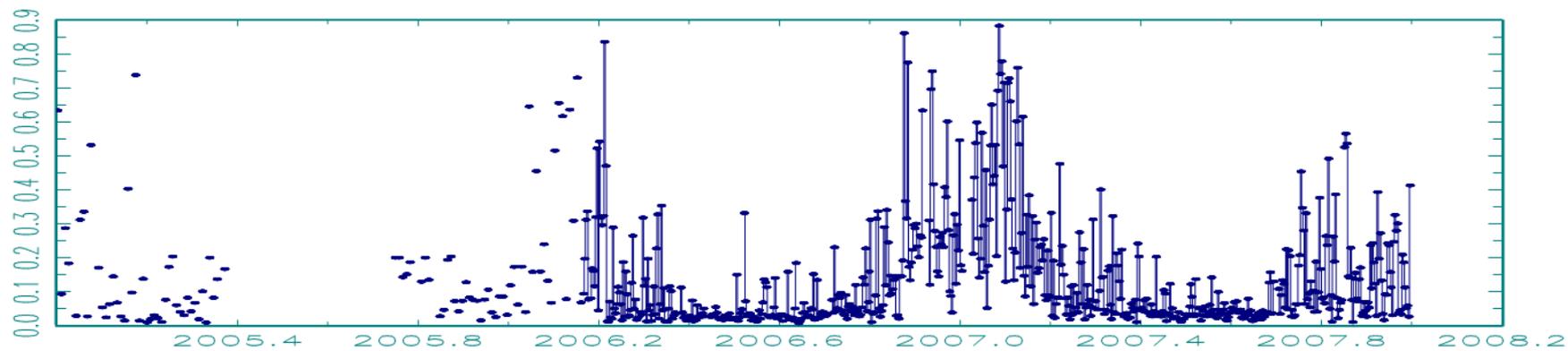
0.95

Variable	Estimate	Standard Error	t-value	Prob > t
OTHER	1.112528	0.017839	62.365958	0.000
OC	1.533060	0.040065	38.264717	0.000

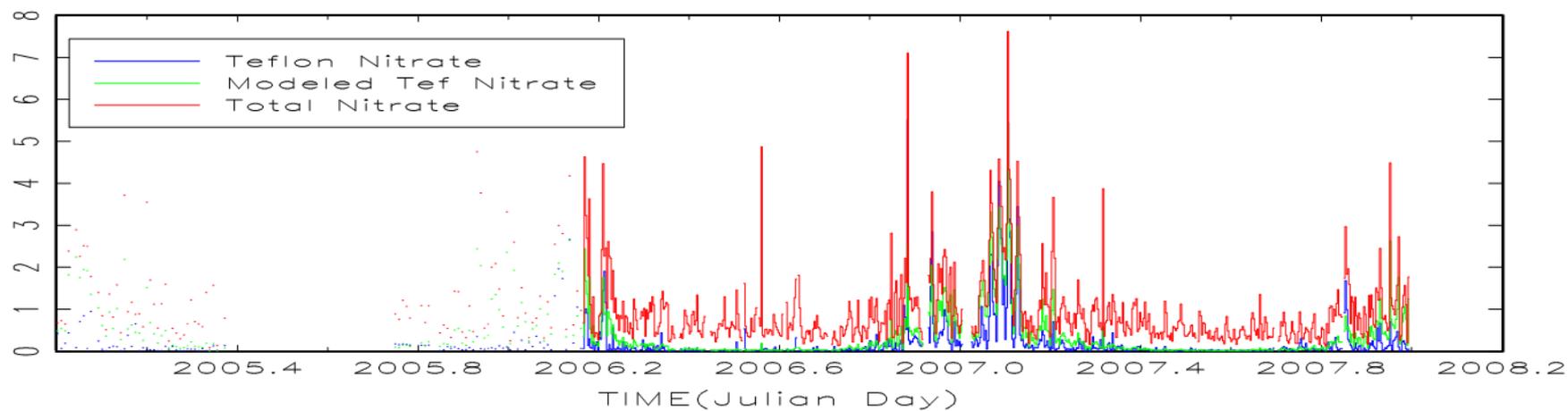


- Other= $(\text{NH}_4)_2\text{SO}_4 + \text{NH}_4\text{NO}_3 + \text{Soil} + \text{LAC} + \text{SS}$
- POM = FM-Other
- $R_{oc}(\text{seasonal}) = (\text{FM} - \text{Other}) / \text{OC} = b_0 + b_1(\cos(f(t)))$
- How should nitrate volatilization affect seasonality in FM
 - Would think that FM- $(\text{NH}_4\text{NO}_3 + \dots)$ is too low in summer and maybe about right in the winter – increase FM in summer serve to make the apparent seasonality in Roc even bigger

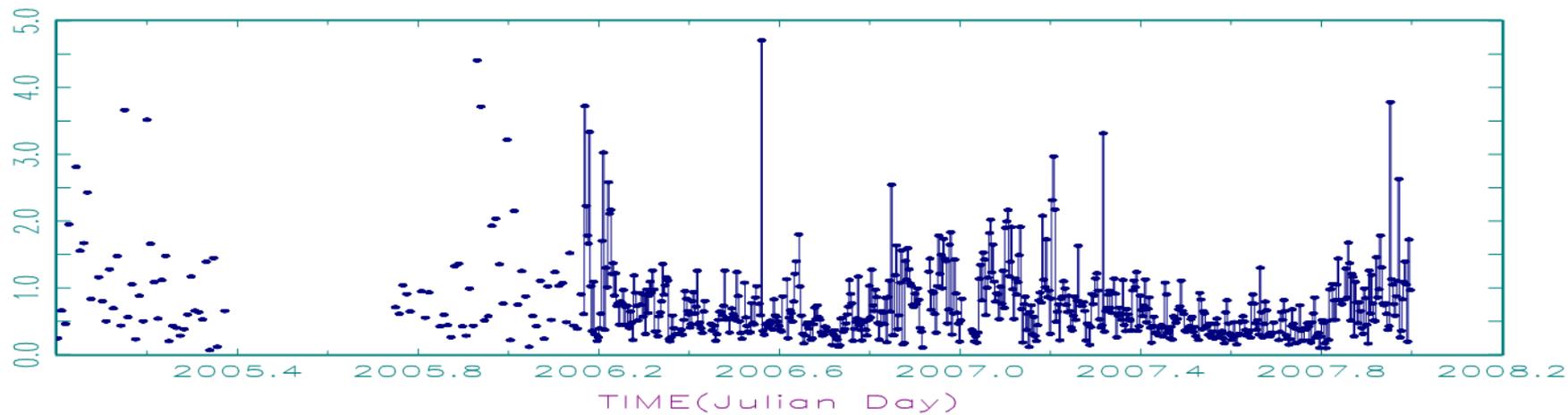
Teflon NO₃/Nylon NO₃



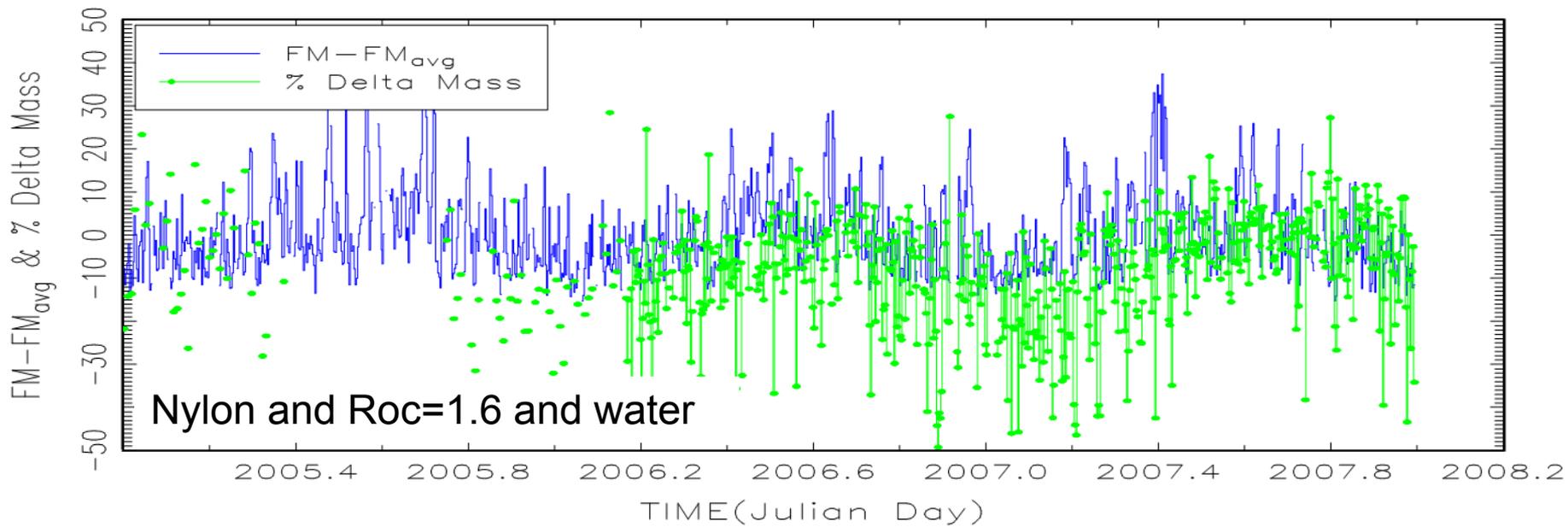
Nitrate



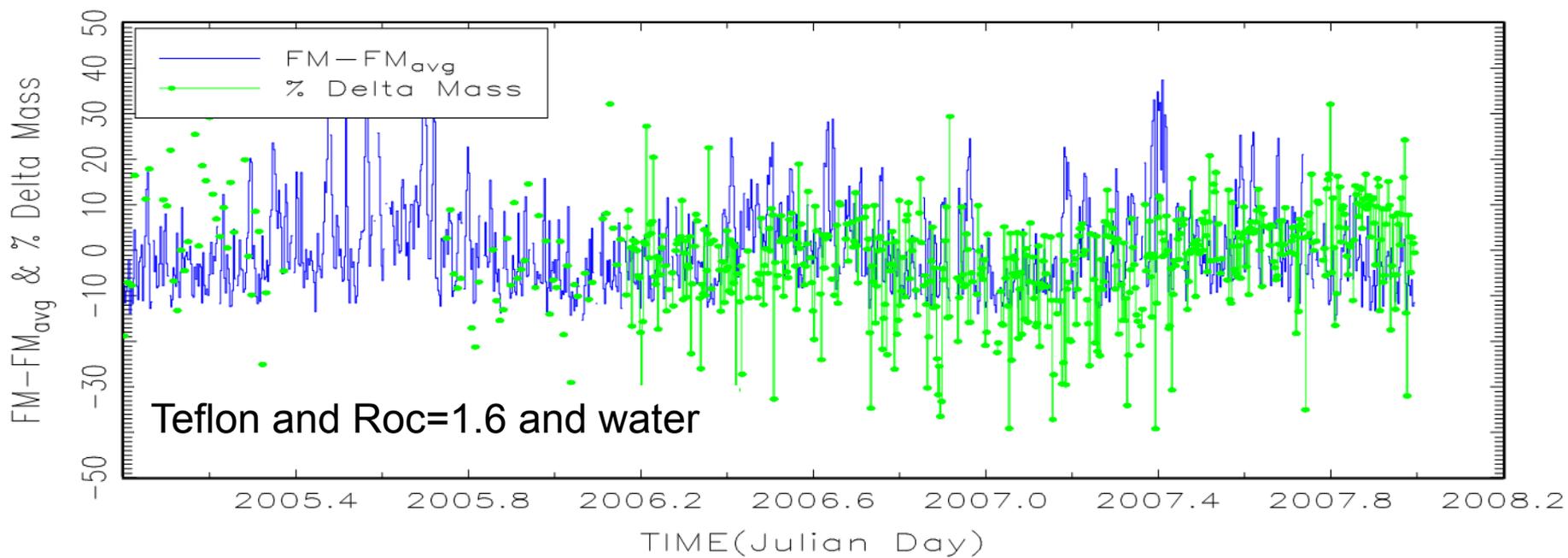
Nylon NO₃ - Teflon NO₃



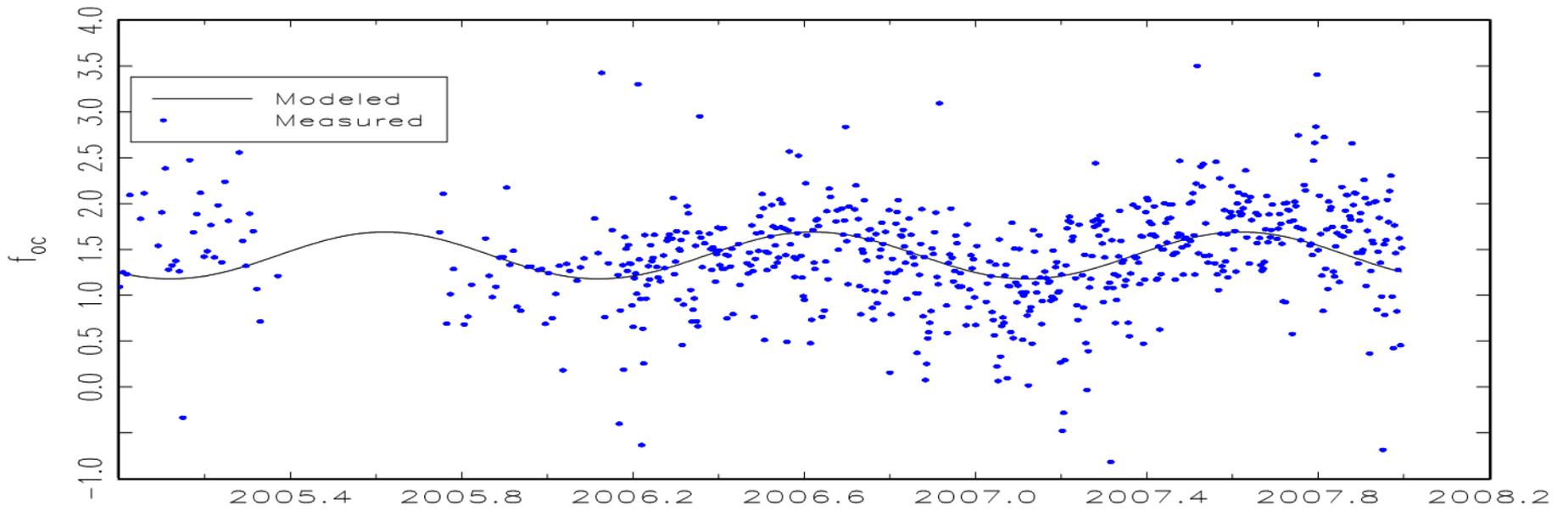
BIRMINGHAM



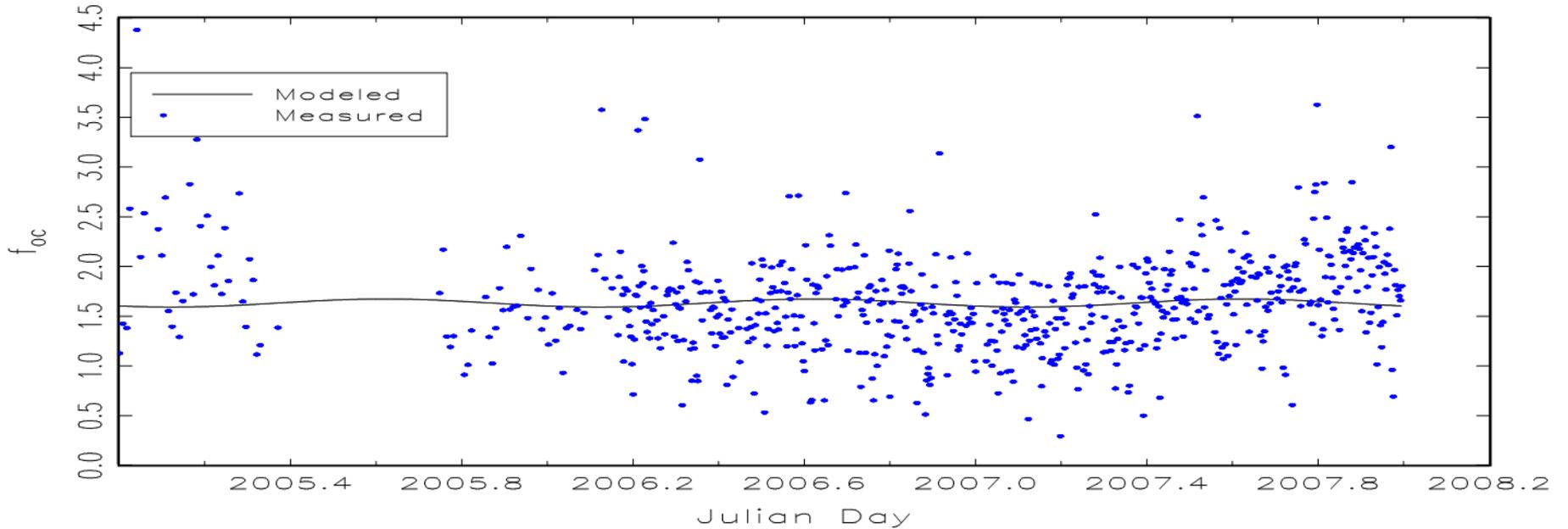
BIRMINGHAM

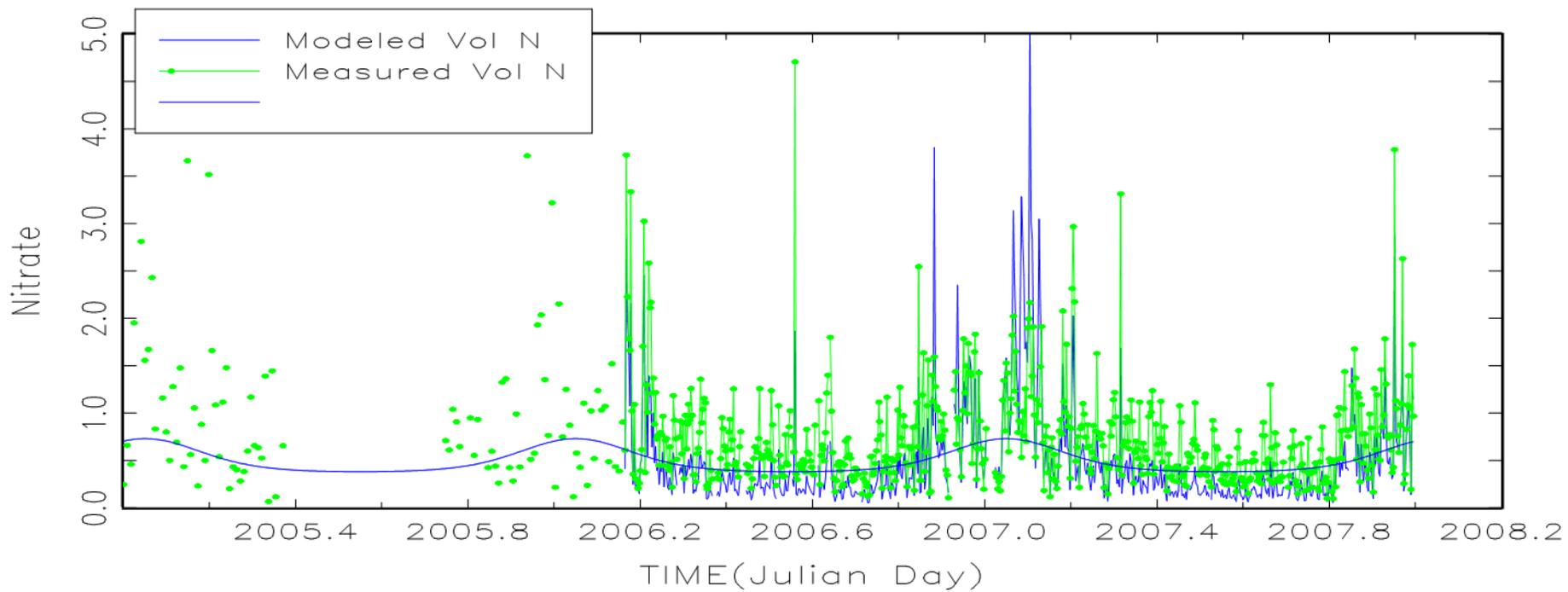
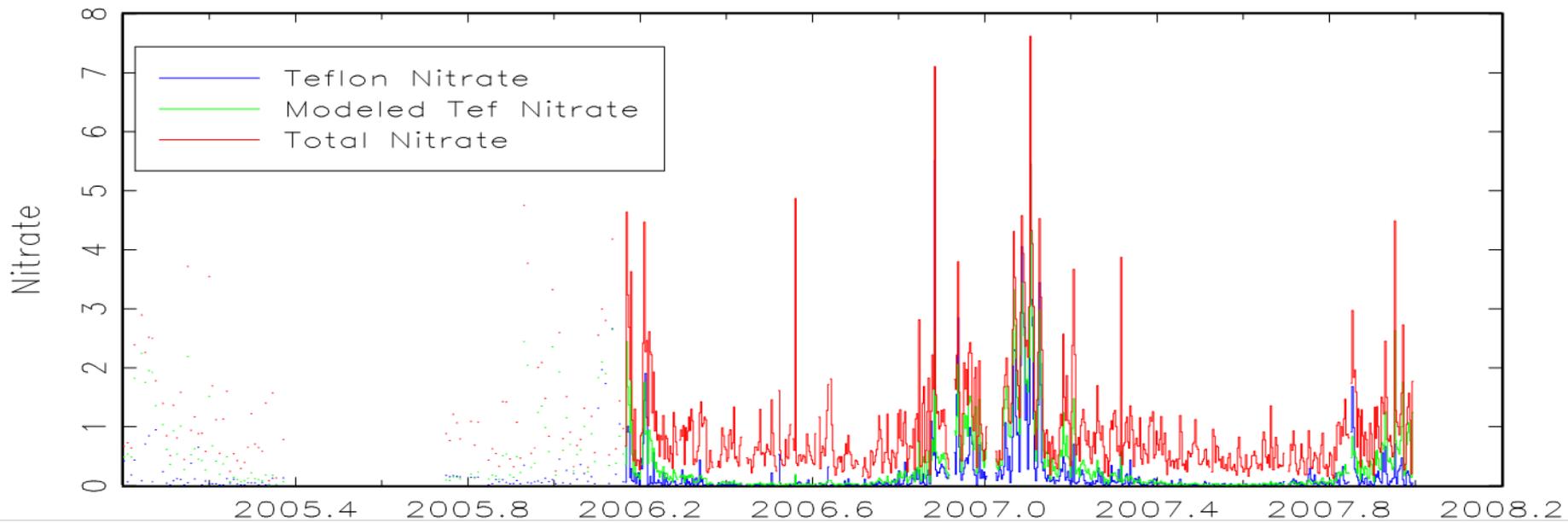


BIRMINGHAM std err= 8.48



BIRMINGHAM std err= 1.44

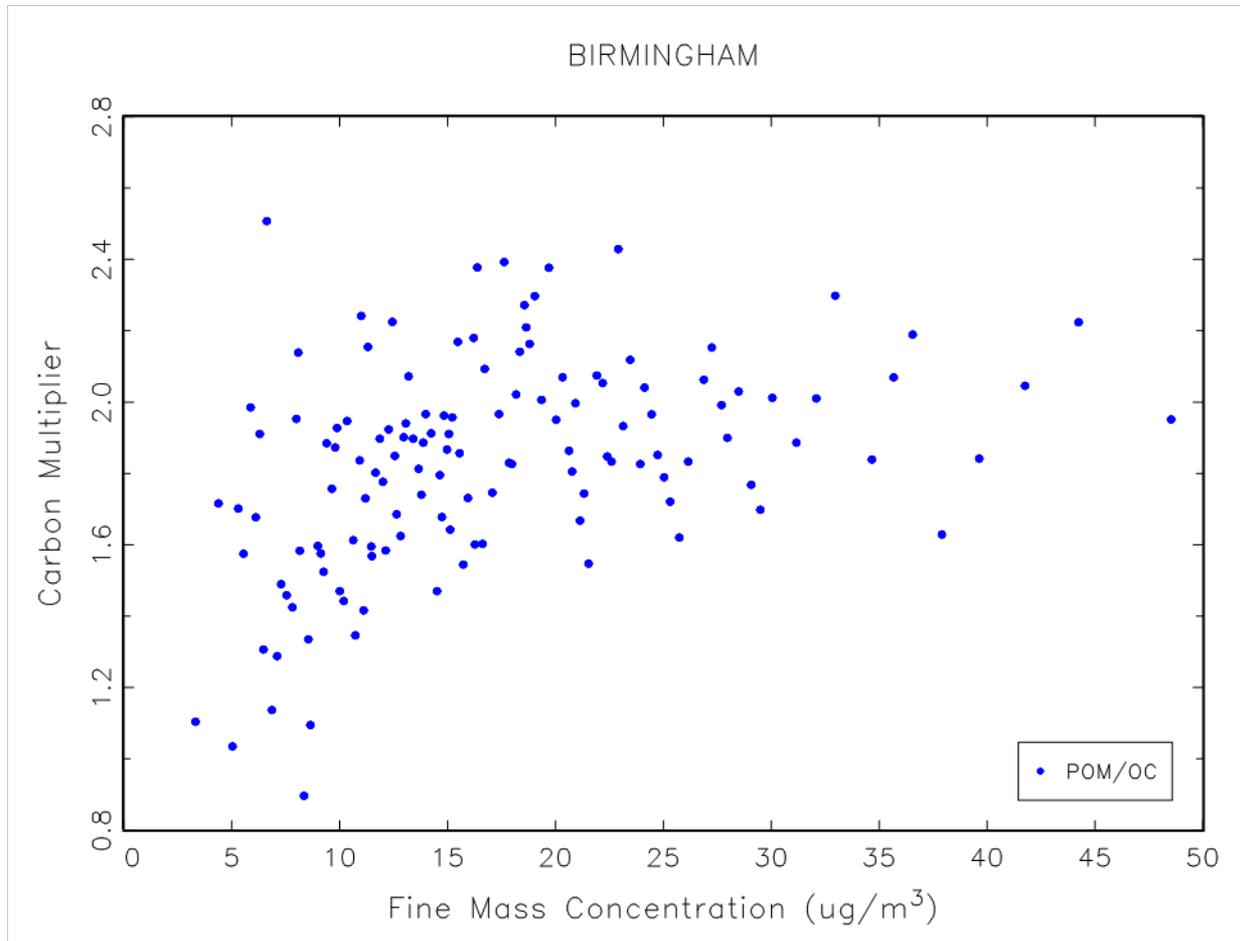




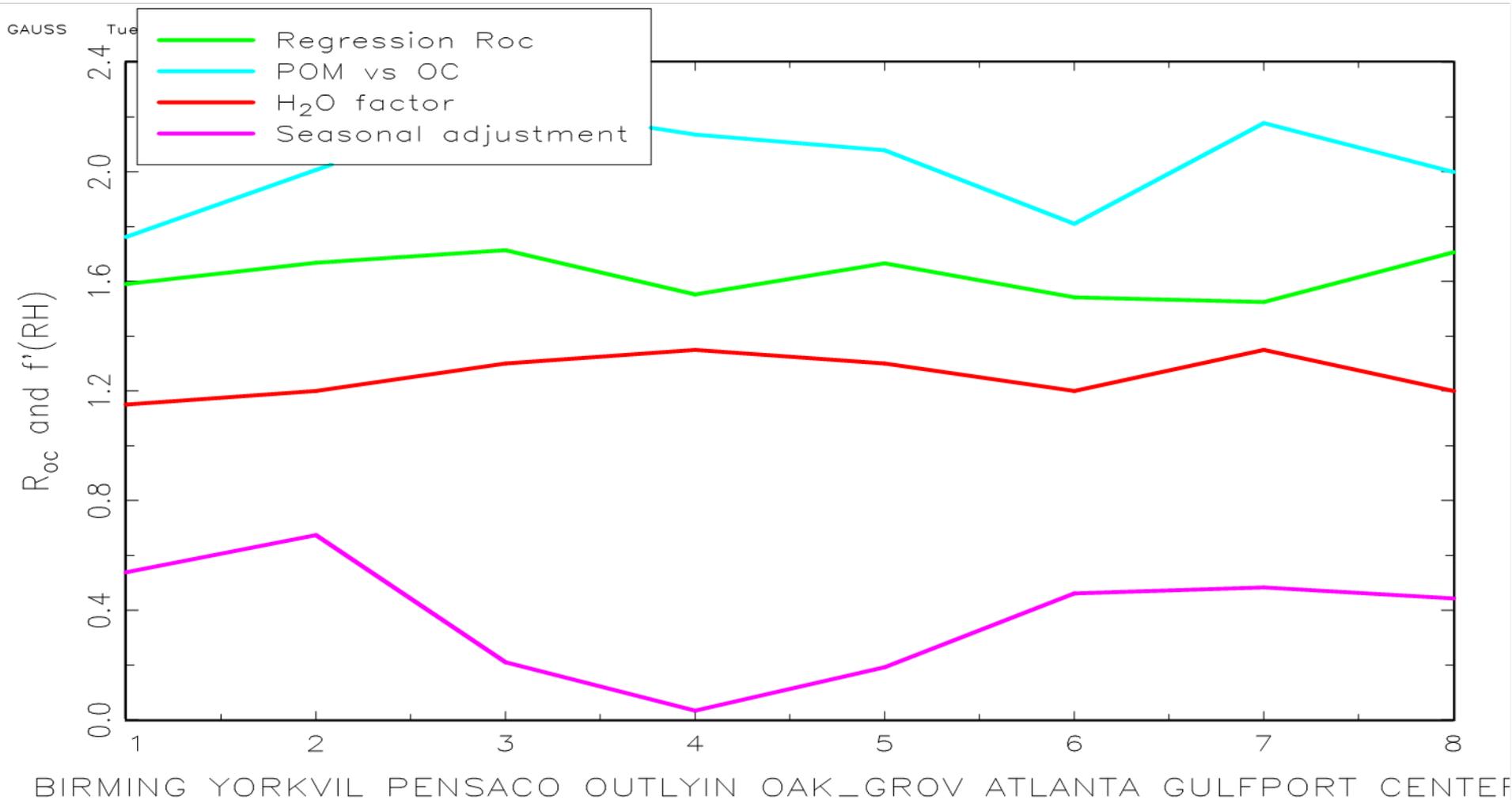
Birmingham Summary Statistics

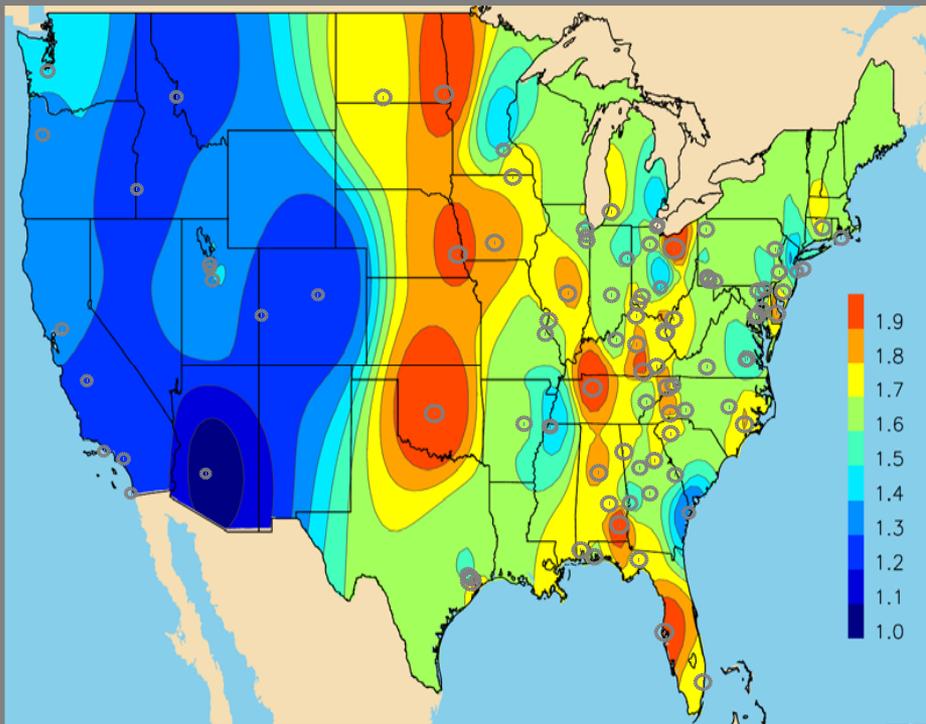
Variable	Mean	Std Dev	Variance	Minimum	Maximum	Valid
FM	17.66	9.54	90.97	2.31	57.89	1037
ASULFATE	6.24	4.43	19.62	0.50	29.58	765
ANO3	0.96	0.87	0.76	0.08	7.62	727
WATER	1.04	0.63	0.39	0.09	4.09	727
POM	5.72	3.90	15.20	0.60	30.52	772
LAC	1.85	1.54	2.37	0.12	11.77	771
SOIL	1.10	0.90	0.81	0.02	10.38	876
RH	4.97	4.05	16.41	1.00	43.94	1069
BSCAT	54.65	34.81	1211.84	5.13	224.08	1070
FACCB1	1.04	0.04	0.00	1.00	1.50	1069
FACAAB2	1.03	0.04	0.00	1.00	1.40	1069
FACCNCAL	1.00	0.03	0.00	1.00	1.64	1069
FACCONE	1.02	0.04	0.00	1.00	1.52	1069
FACCOLD	1.00	0.01	0.00	1.00	1.15	1069

R_{OC} vs FM



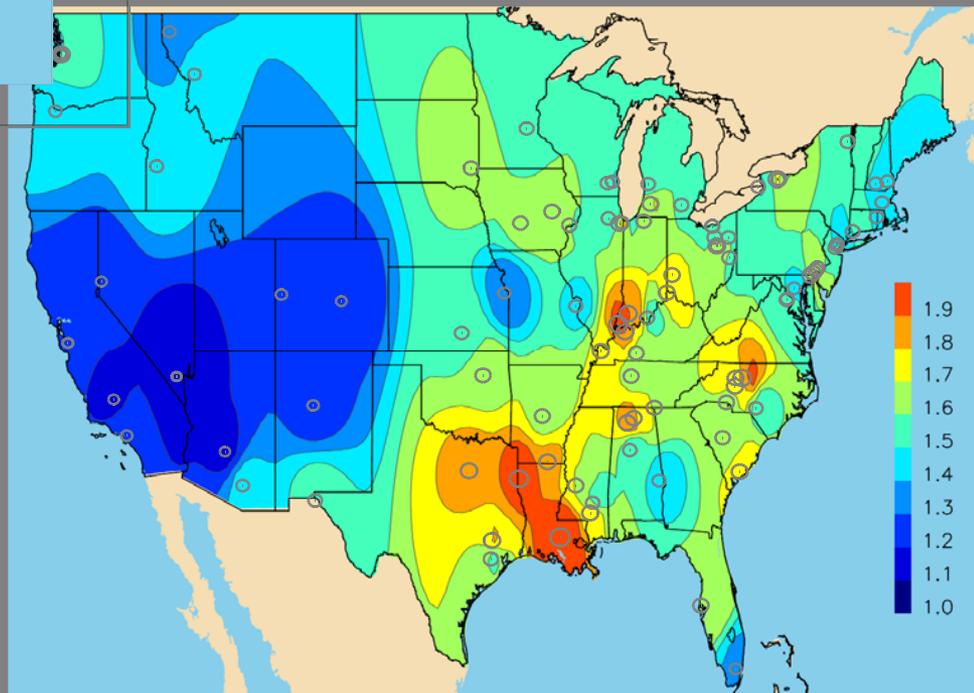
R_{oc} and $f'(RH)$

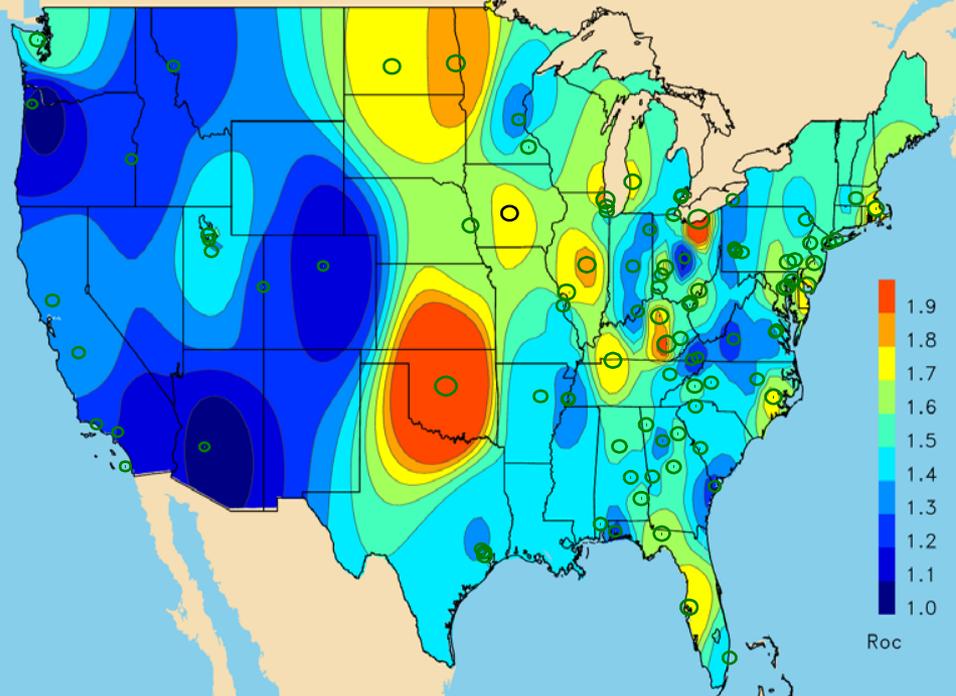




POM vs OC suburban

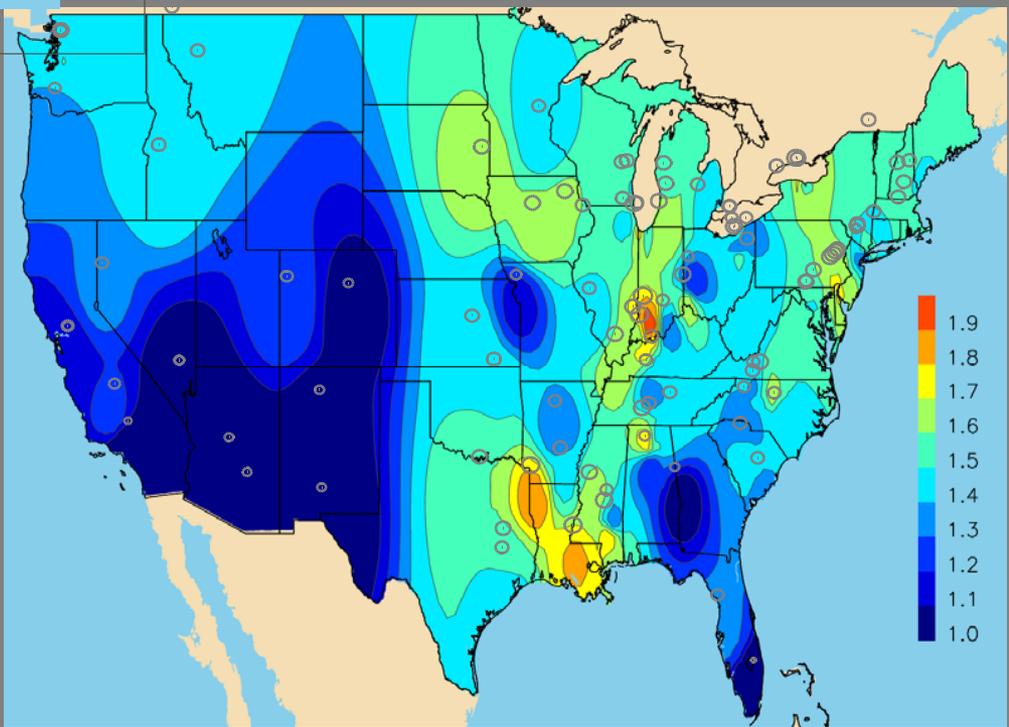
POM vs OC urban



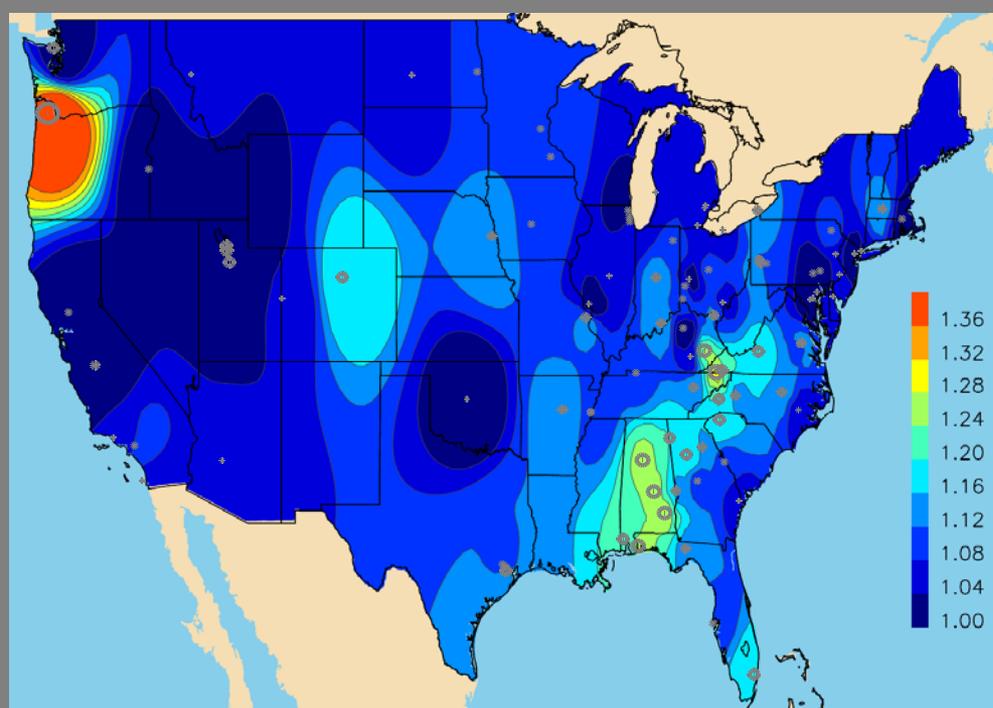


Regression Suburban

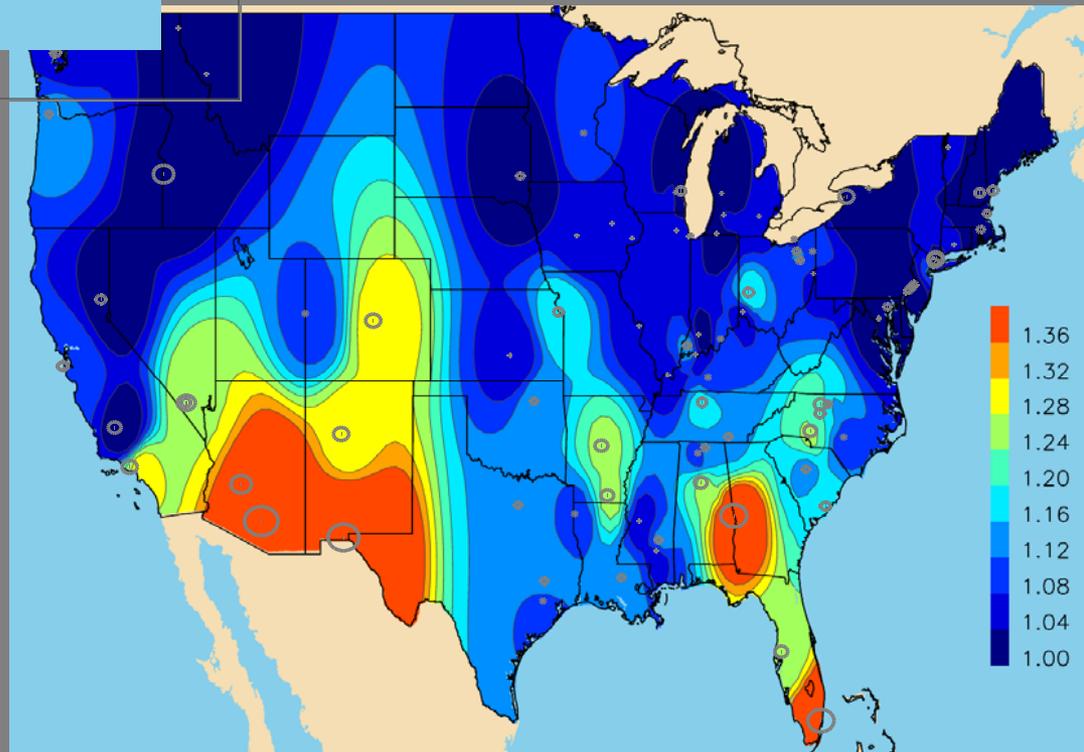
Regression urban



Water Suburban



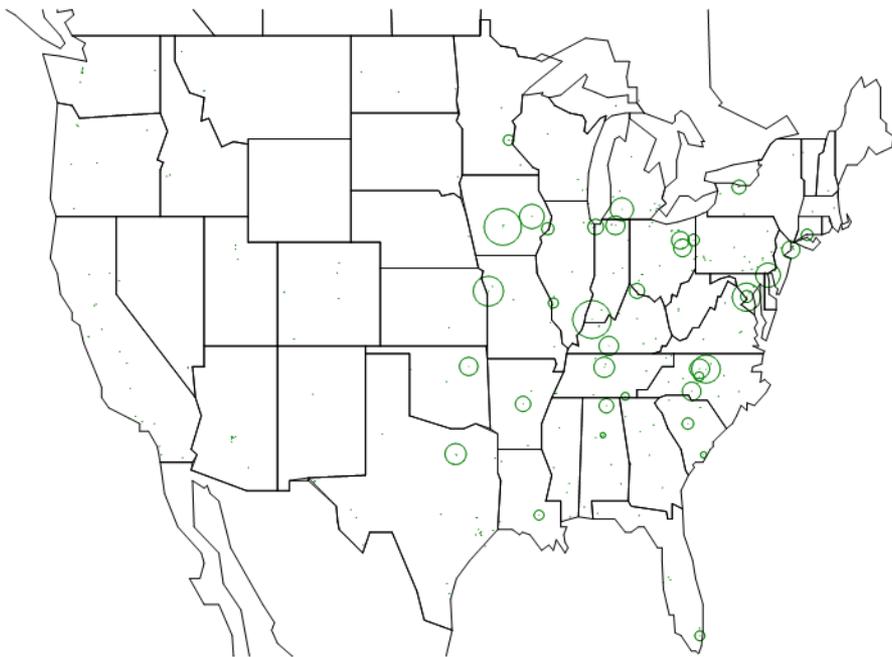
Water Urban



Urban seasonal modulation after correction for water max =1+1

GAUSS Thu Aug 13 14:19:29 2009

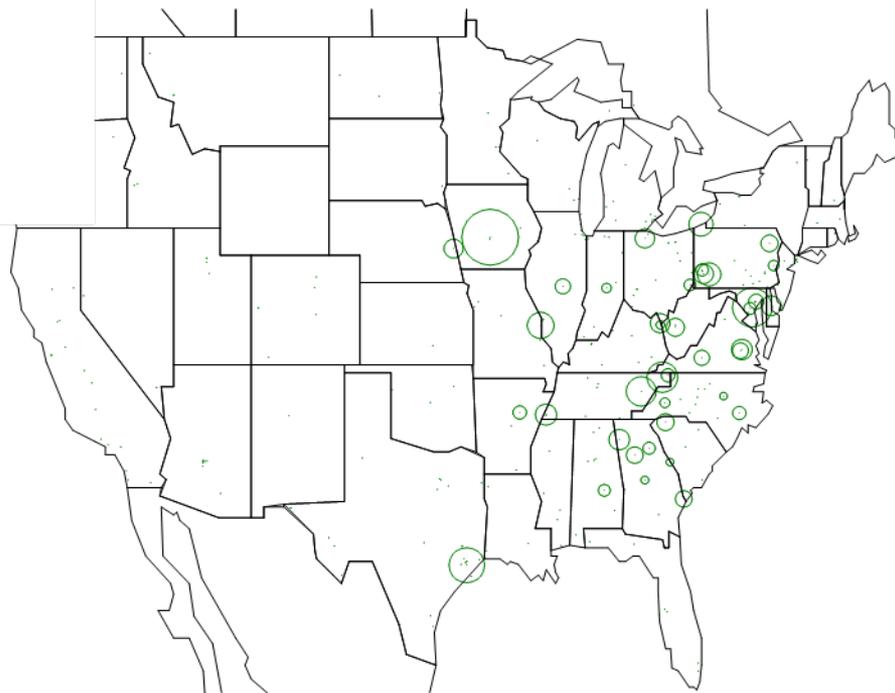
Seasonal component Curvefit



City Center

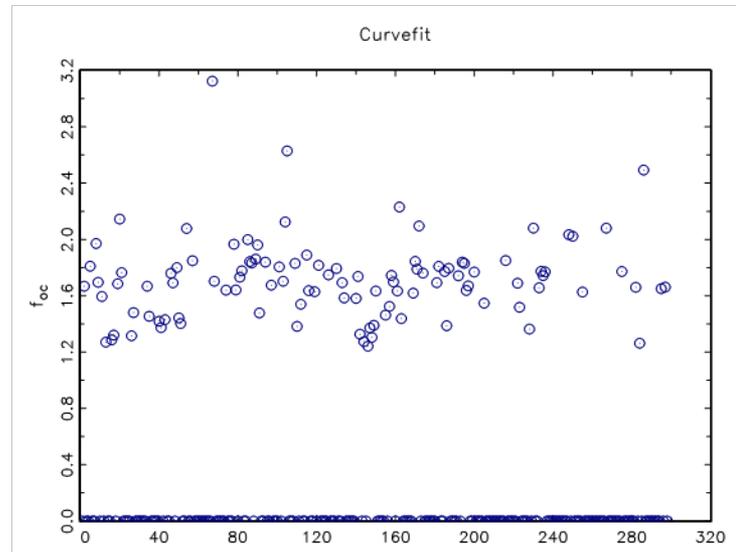
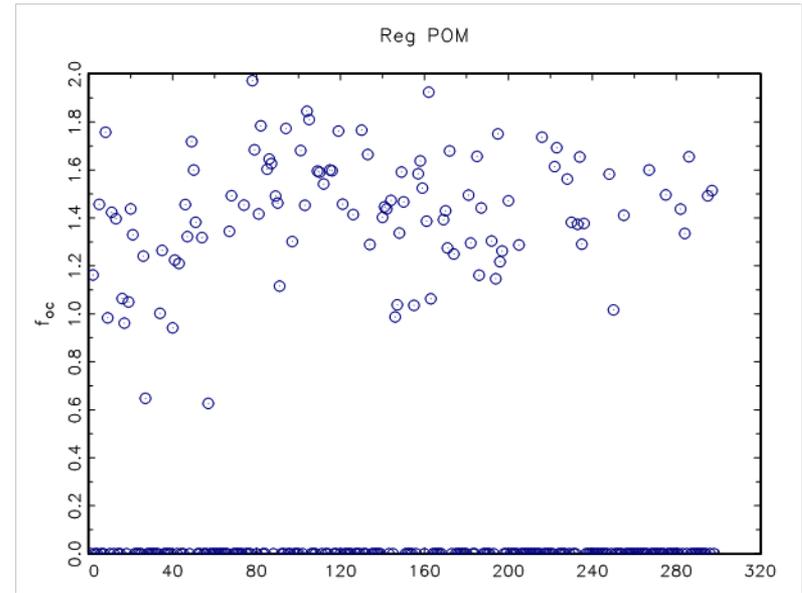
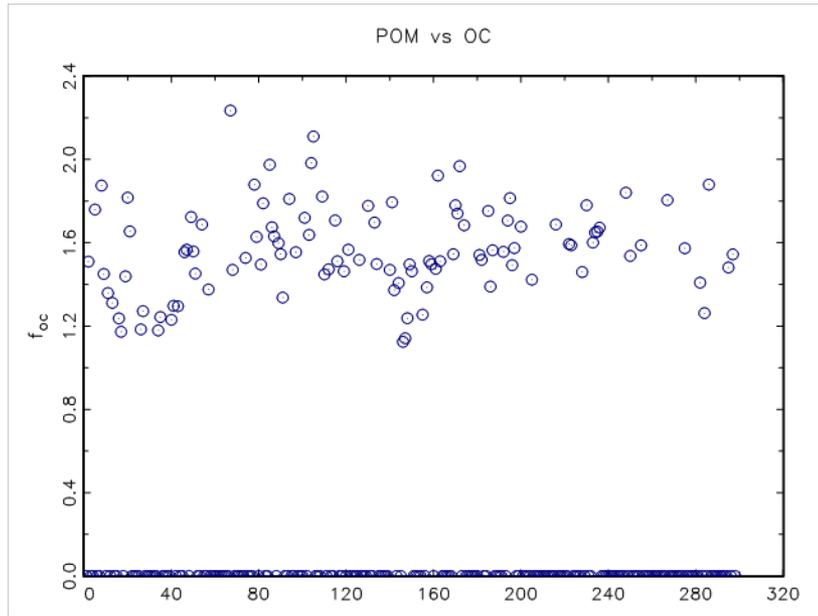
2009

Seasonal component Curvefit

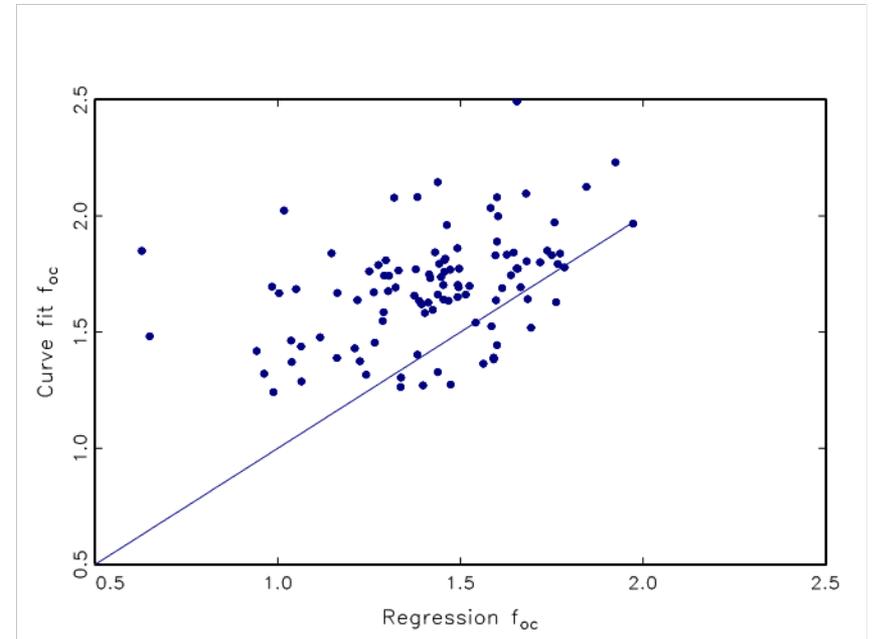
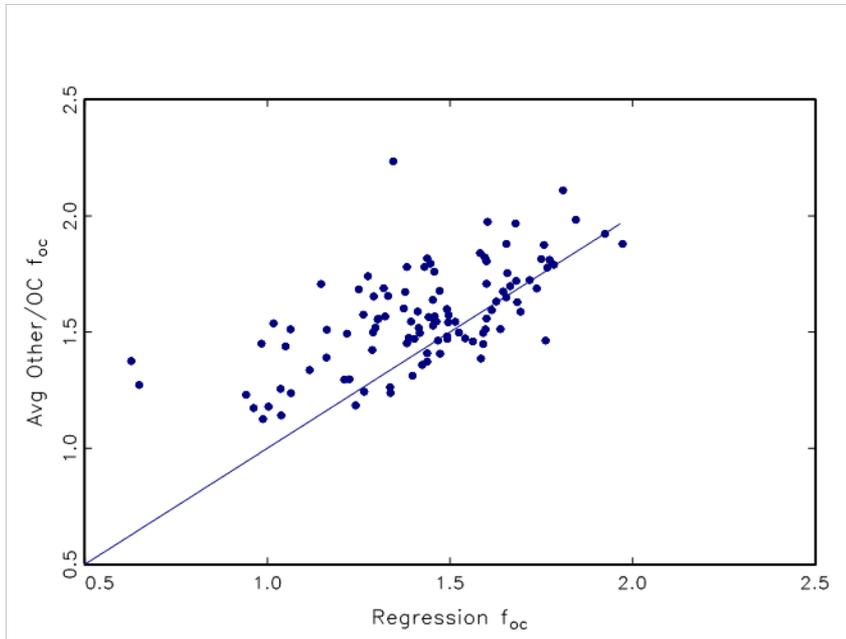


Suburban

R_{oc} vs STN Urban sites for different estimates

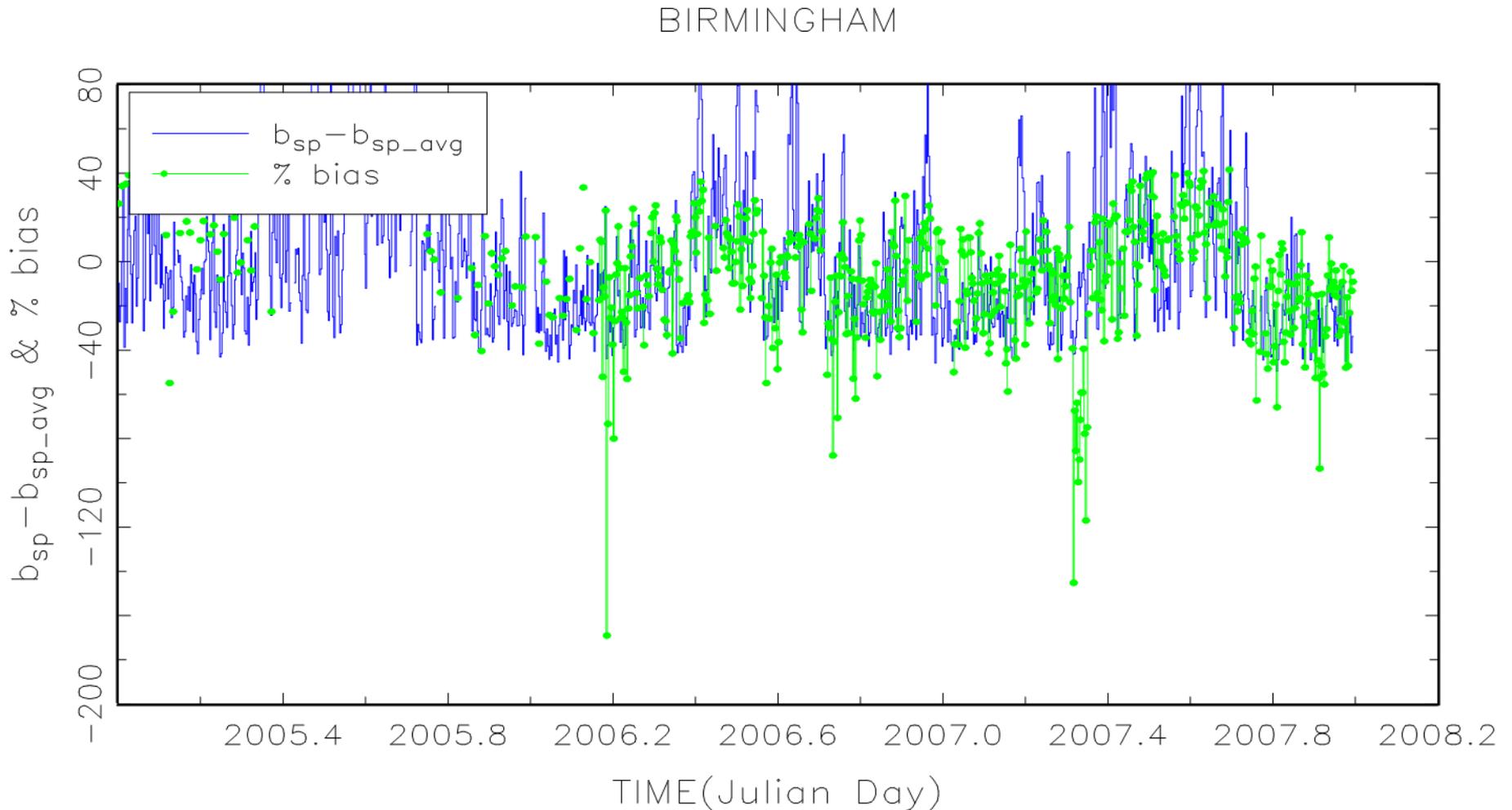


R_{oc} estimates compared with each other



Scattering Estimations

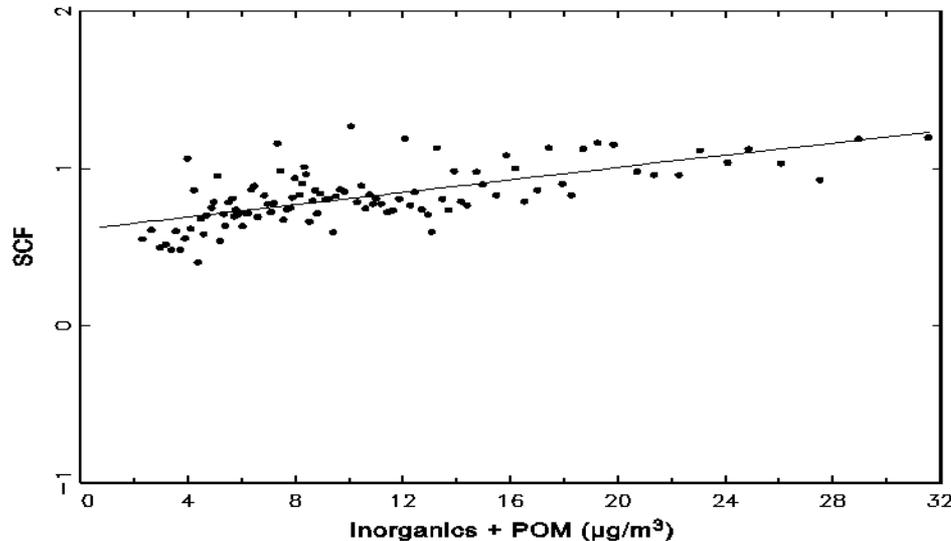
Bias in reconstructed scattering using the old IMPROVE equation



Scattering Estimation Equations

$$b_{mix} = b_{open} - b_{CM} - b_{soil} - b_{SS} = c_1 \{ 3.0 f(RH)_{AS} [(NH_4)_2SO_4 + NH_4NO_3] + 3.81 [POM] \}$$

$$SCF = \frac{b_{mix}}{b_{mix_est}} = \frac{b_{open} - b_{CM} - b_{soil} - b_{SS}}{c_1 \{ 3.0 f(RH)_{AS} [(NH_4)_2SO_4 + NH_4NO_3] + 3.81 [POM] \}}$$



$$M_{mix} = [(NH_4)_2SO_4] + [NH_4NO_3] + [POM],$$

$$M_{mix} = [(NH_4)_2SO_4] + [NH_4NO_3] + [POM],$$

$$SCF = b_0 + b_1[M_{mix}]$$

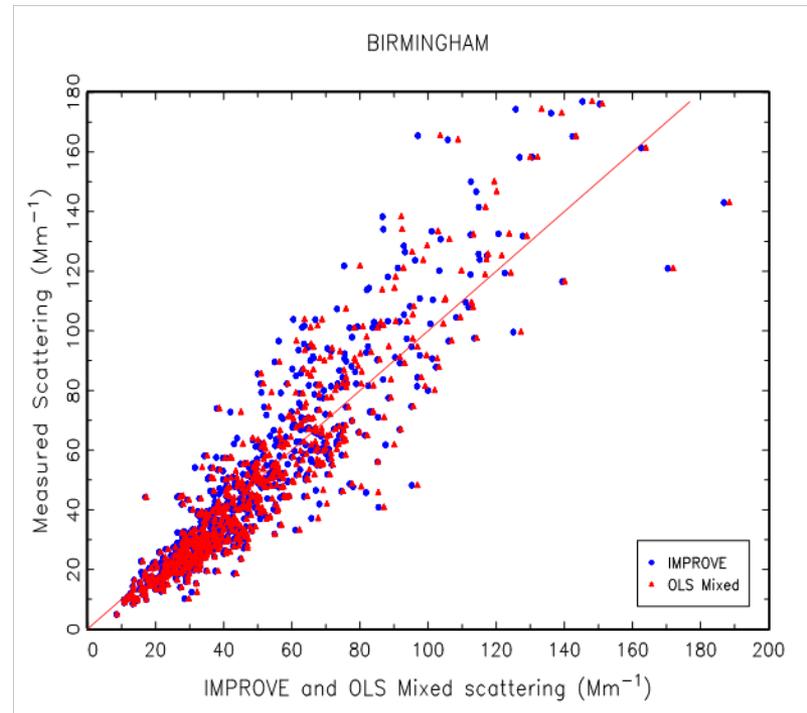
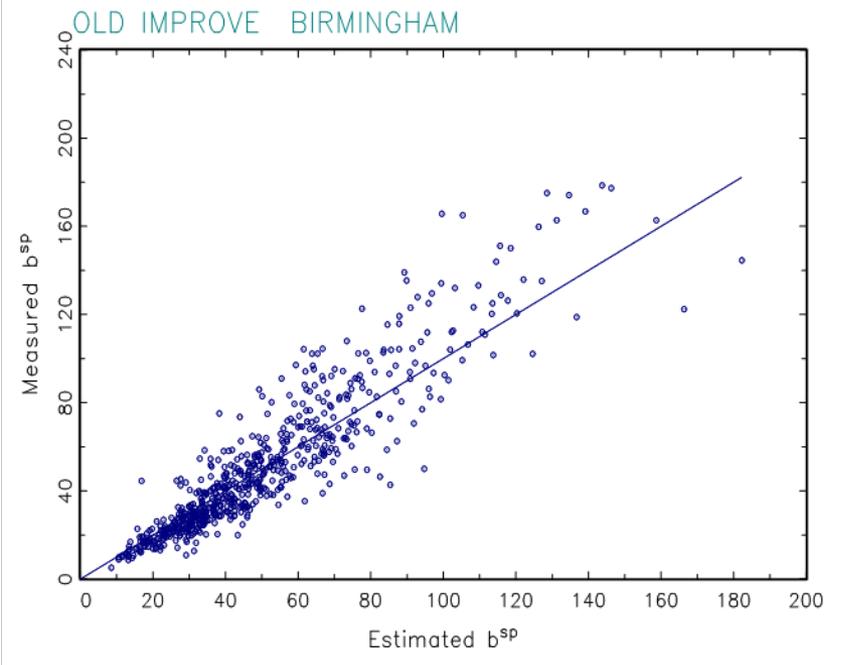
$$b'_{mix_est} = SCF'(M_{mix})c_1\{3.0f(RH)[(NH_4)_2SO_4 + NH_4NO_3] + 3.81[POM]\}$$

New inorganic and organic mass-adjusted specific mass scattering efficiencies are calculated using:

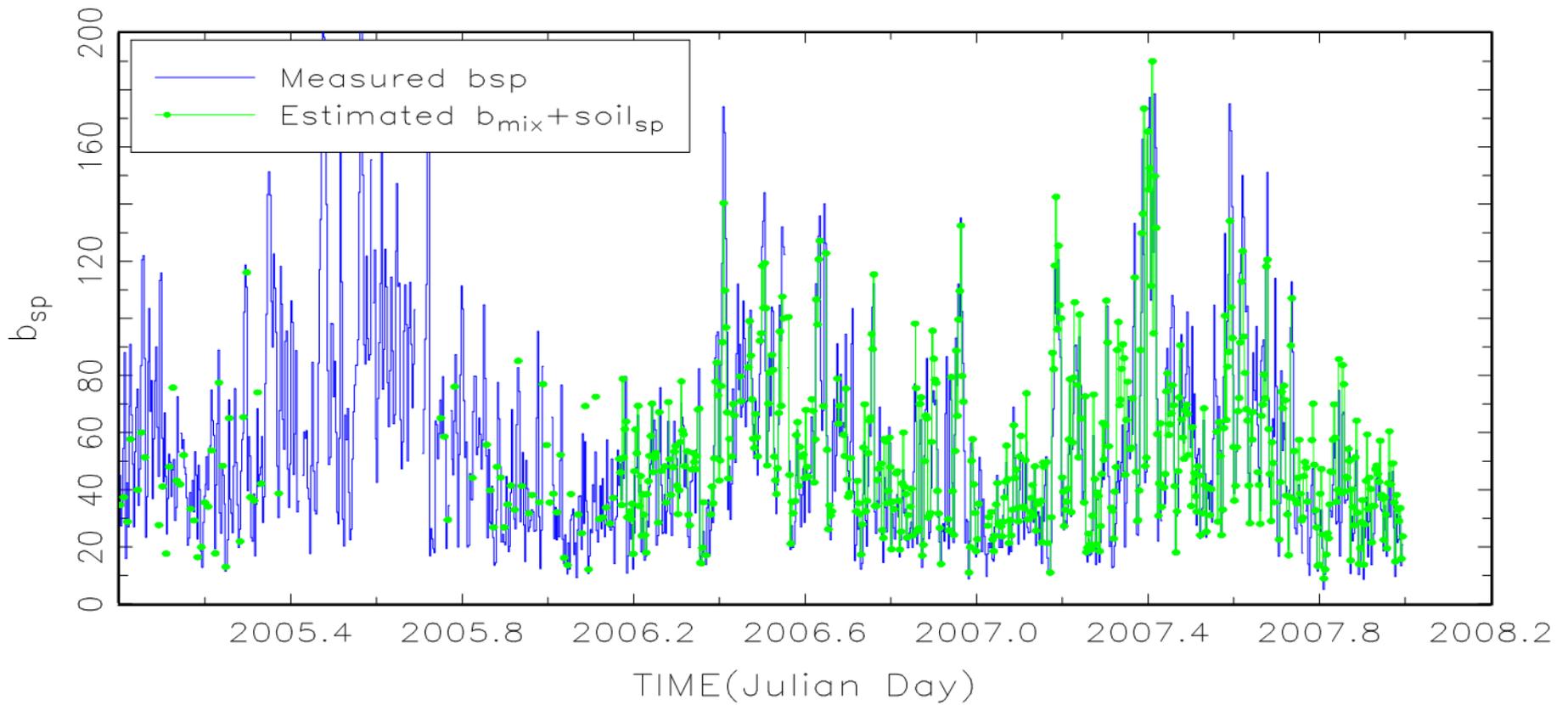
$$\alpha'_{inorg} = 3.0c_1 \cdot SCF'(M_{mix}) \text{ and}$$

$$\alpha'_{org} = 3.81c_1 \cdot SCF'(M_{mix}).$$

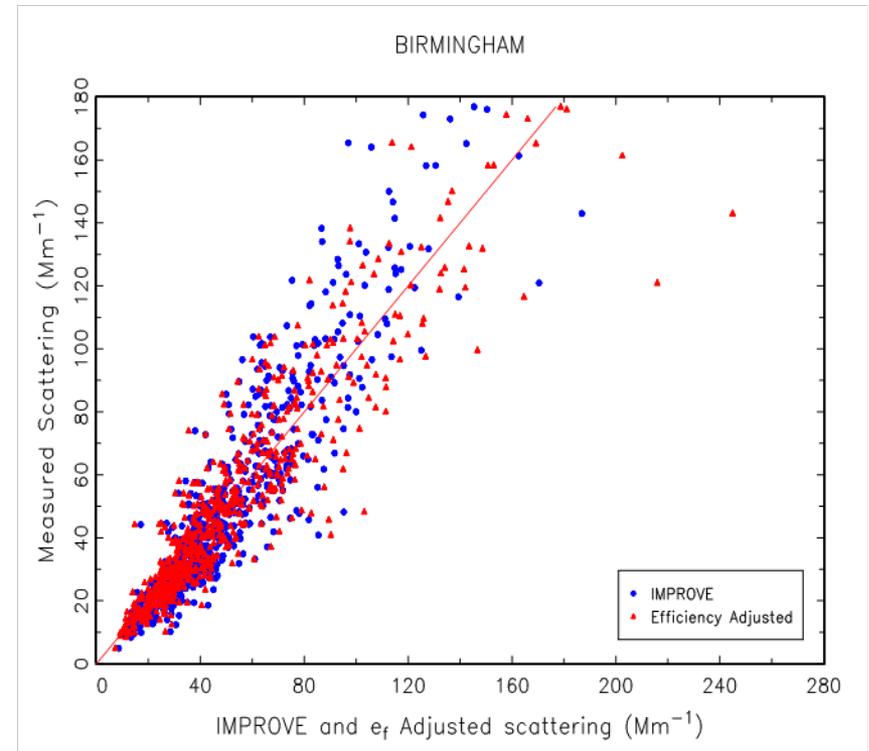
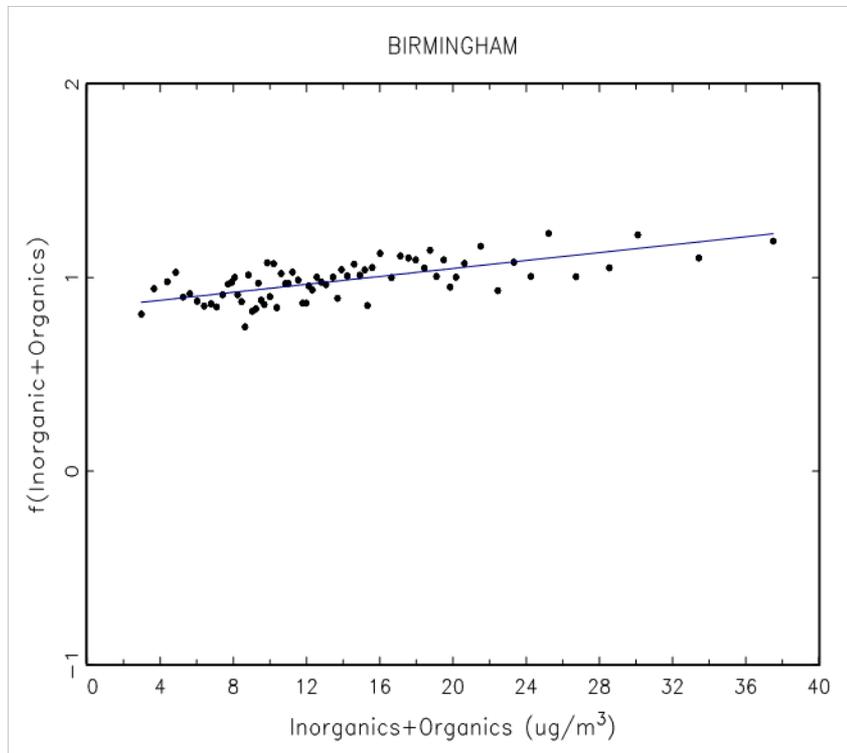
Old IMPROVE equation vs measured b_{sp} and MIXED model vs measured b_{sp} (Corrected for R_{oc} seasonal)



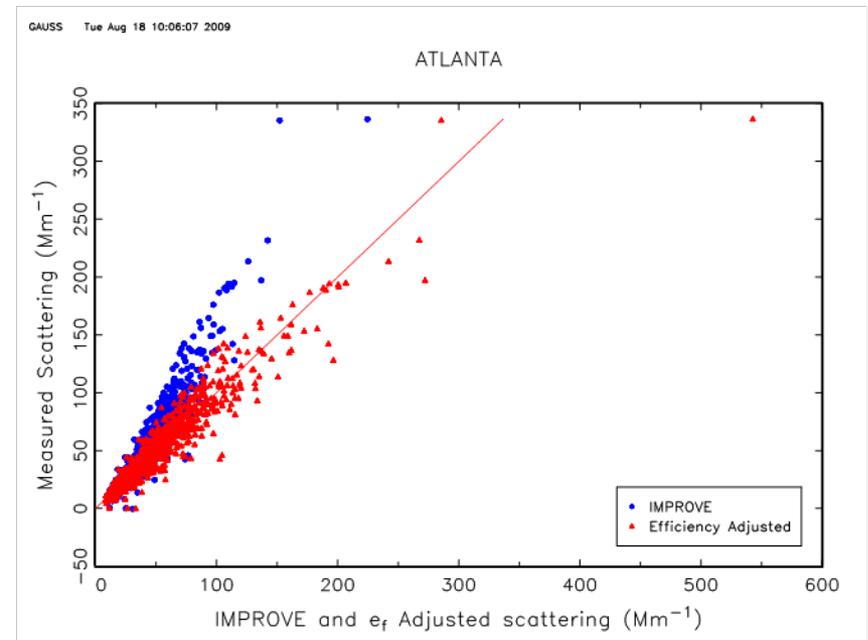
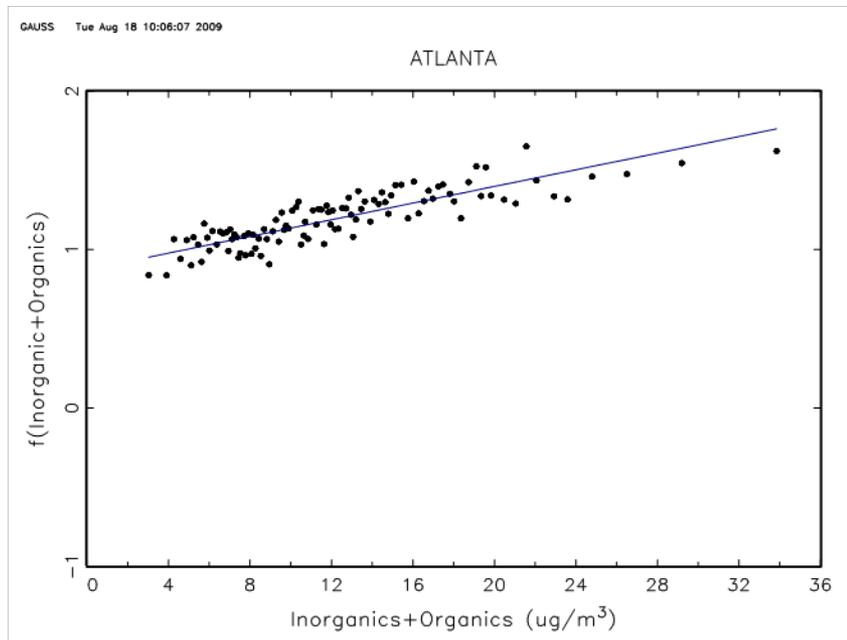
BIRMINGHAM



SCF vs inorganics+organic mass and resulting estimated b_{sp} vs measured b_{sp}



SCF vs inorganics+organic mass and resulting estimated b_{sp} vs measured b_{sp}



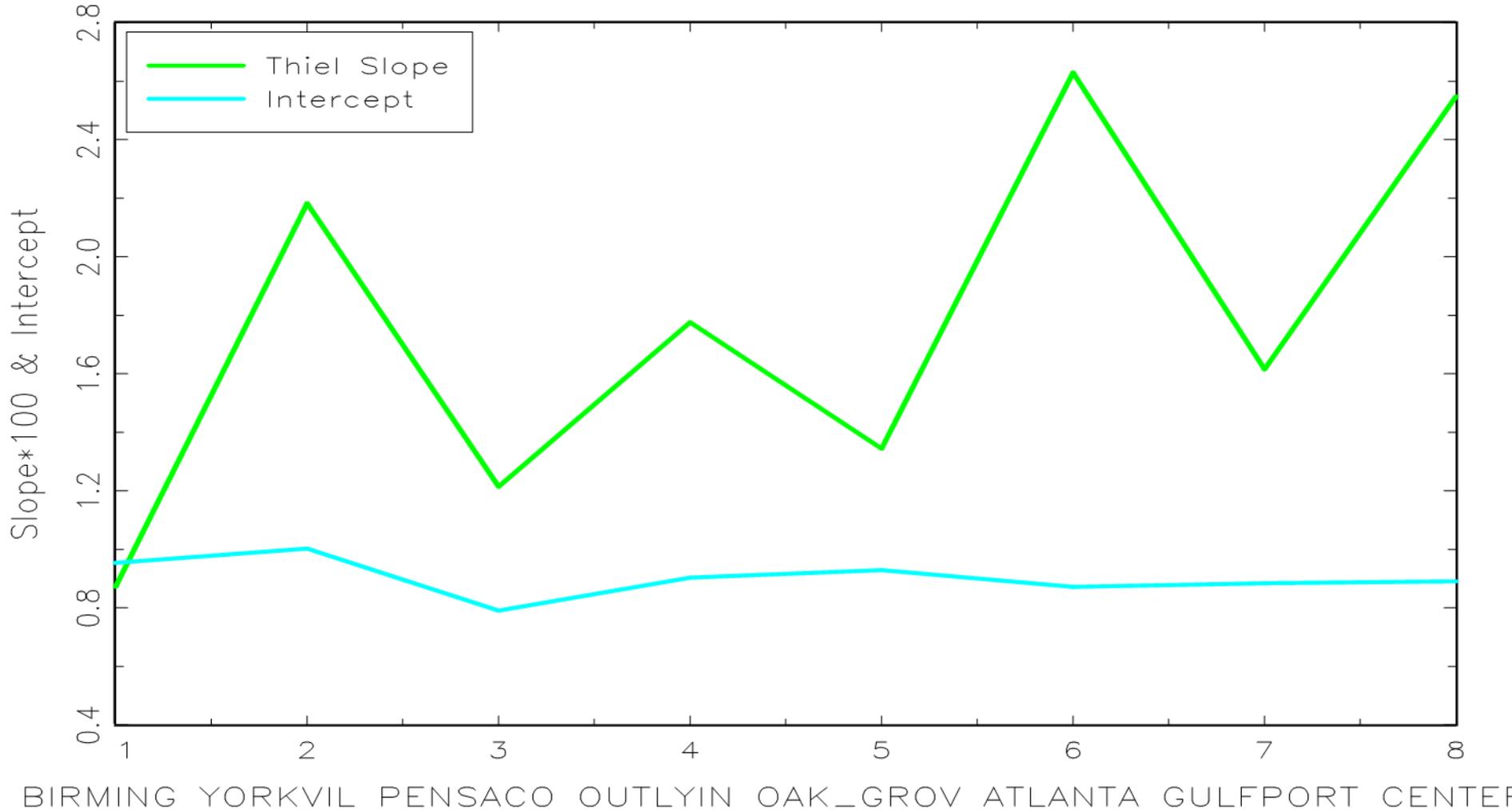
Mass scattering efficiency statistics

- Sulfate and Nitrate
 - MeanI= 2.889
 - Mean= 2.964
 - Meanu= 3.015
- Organic
 - MeanI= 3.668
 - Mean= 3.764
 - Meanu= 3.829
- Thiel Regression Results
 - Intercept= 0.842
 - Slope= 0.010
 - Significance= 0.000

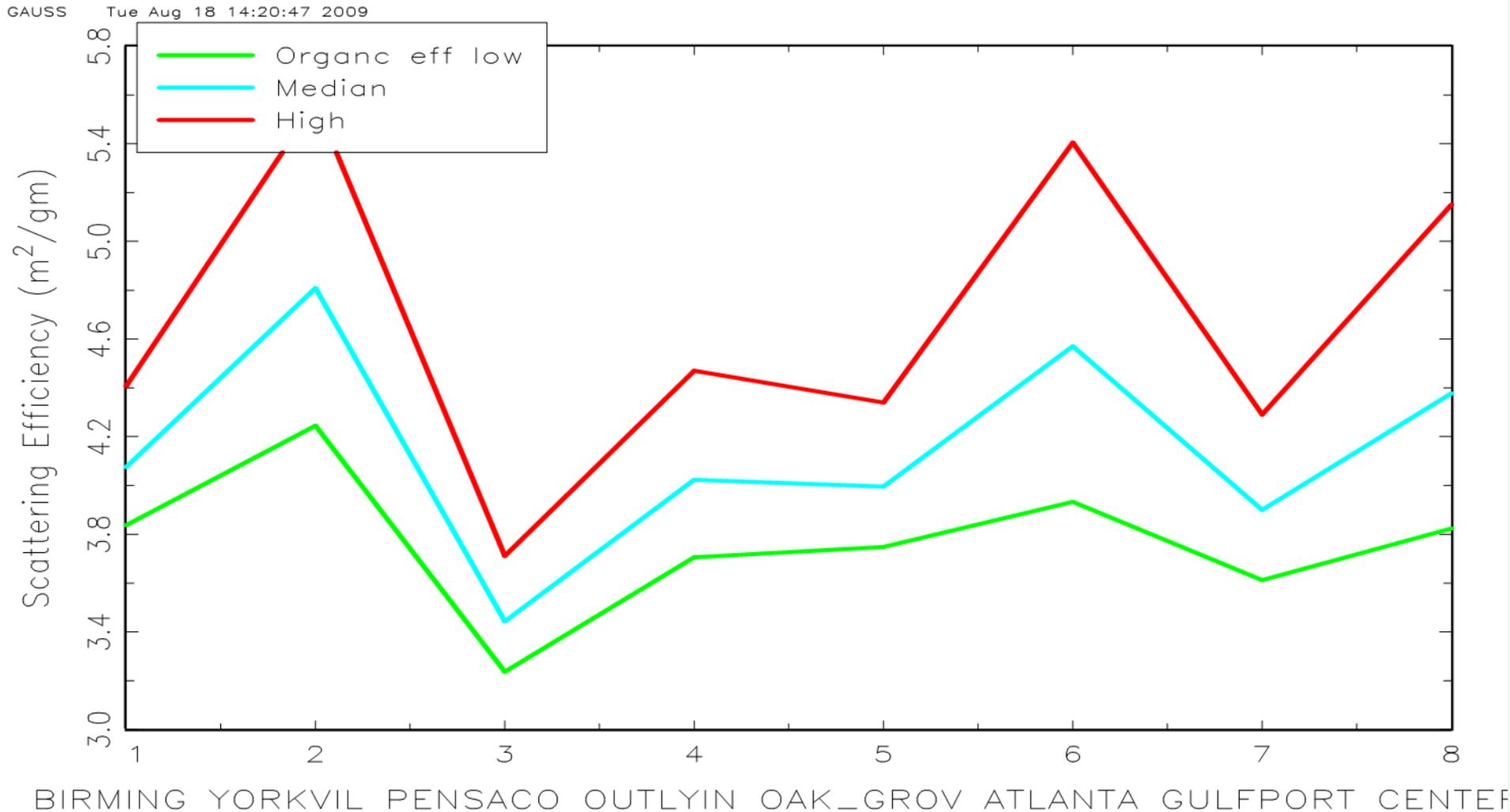
Variable	Mean	Std Dev	Variance	Minimum	Maximum	Valid	Missing
F(MASS)	1.0004	0.2564	0.0658	0.3642	2.6904	642	452
EFFS	2.9637	0.2299	0.0529	2.5983	4.0650	698	396
EFFOC	3.7639	0.2920	0.0853	3.2998	5.1626	698	396

Thiel Slope and Intercept

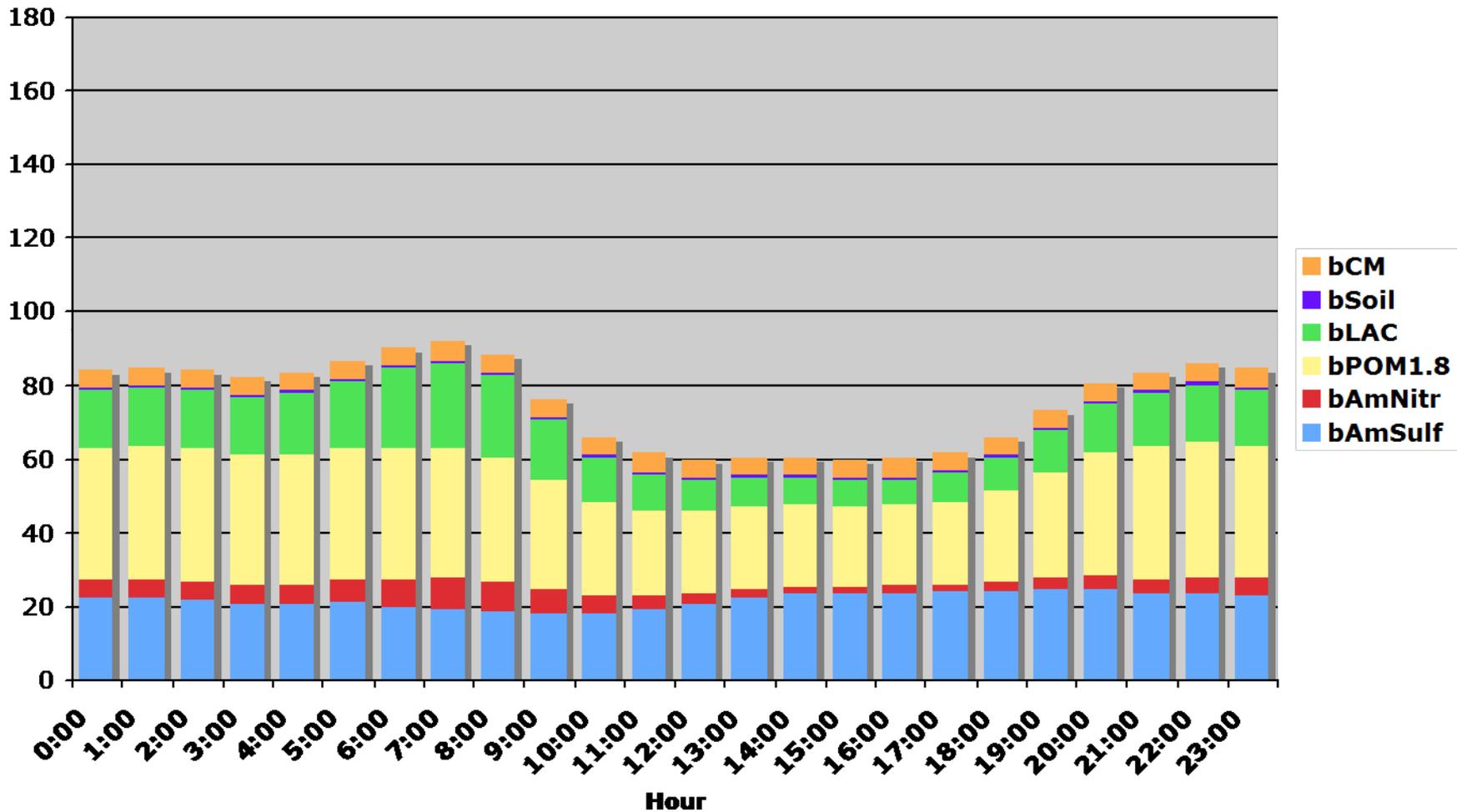
GAUSS Tue Aug 18 13:43:23 2009



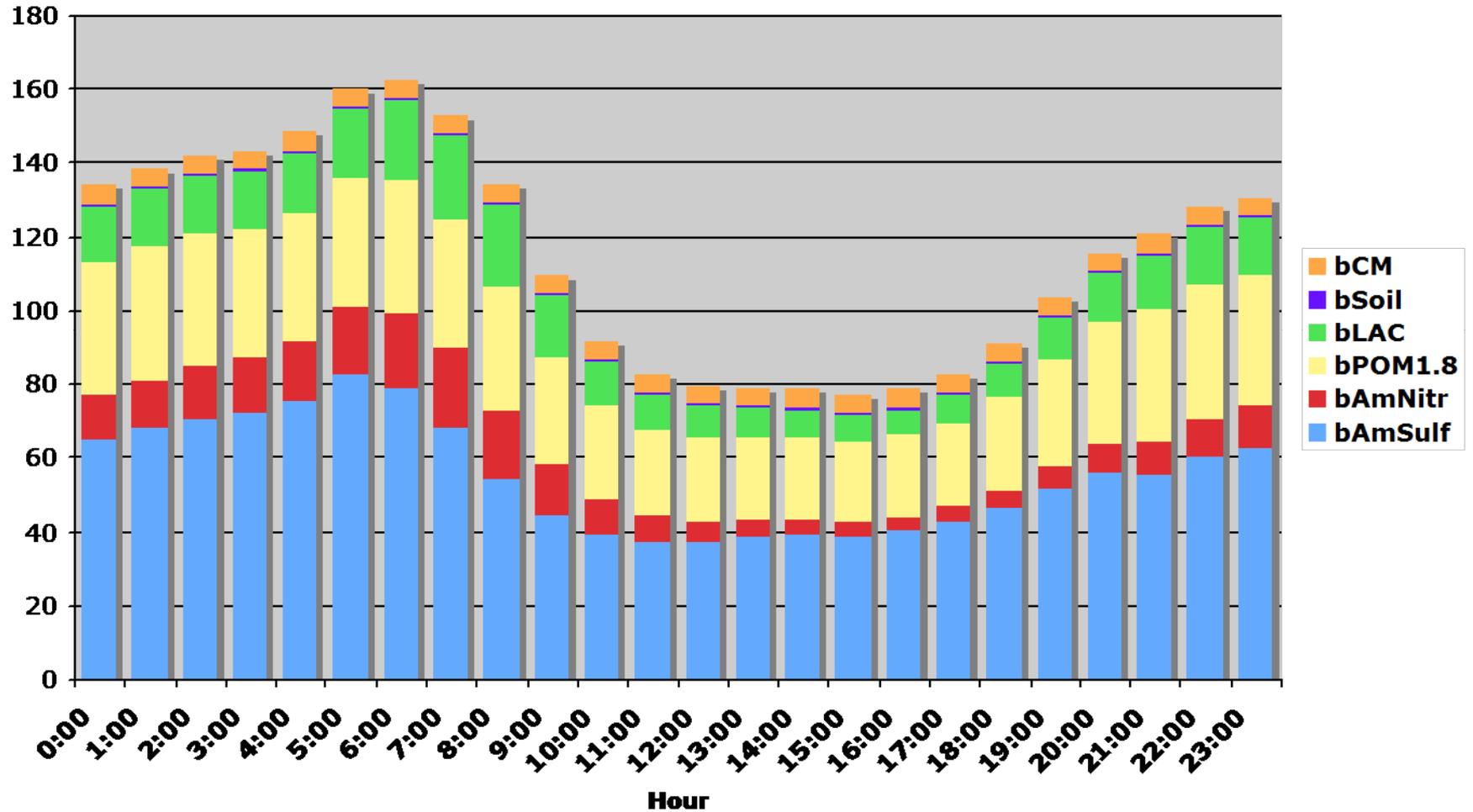
Mass Scattering Efficiencies

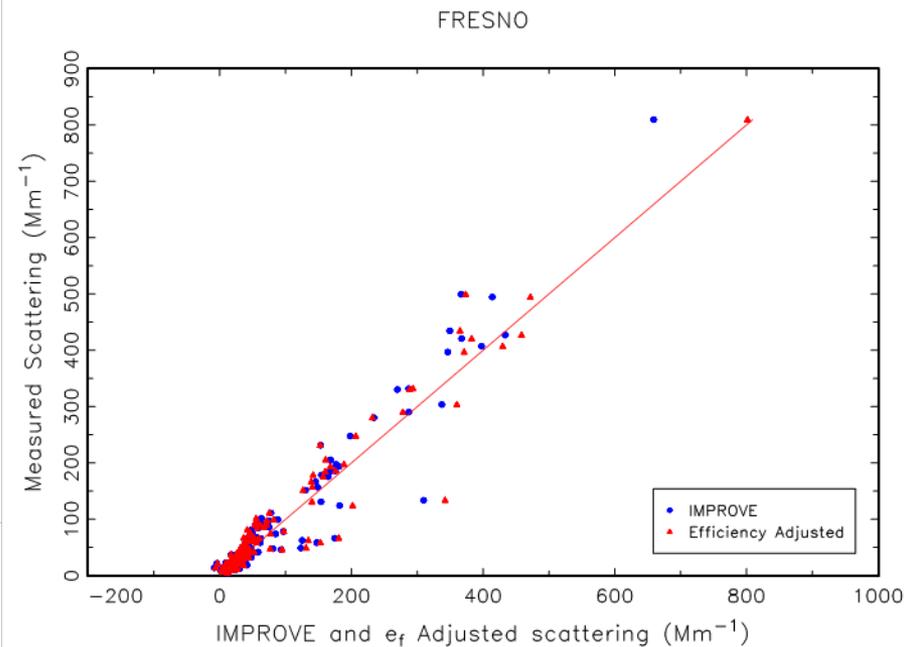
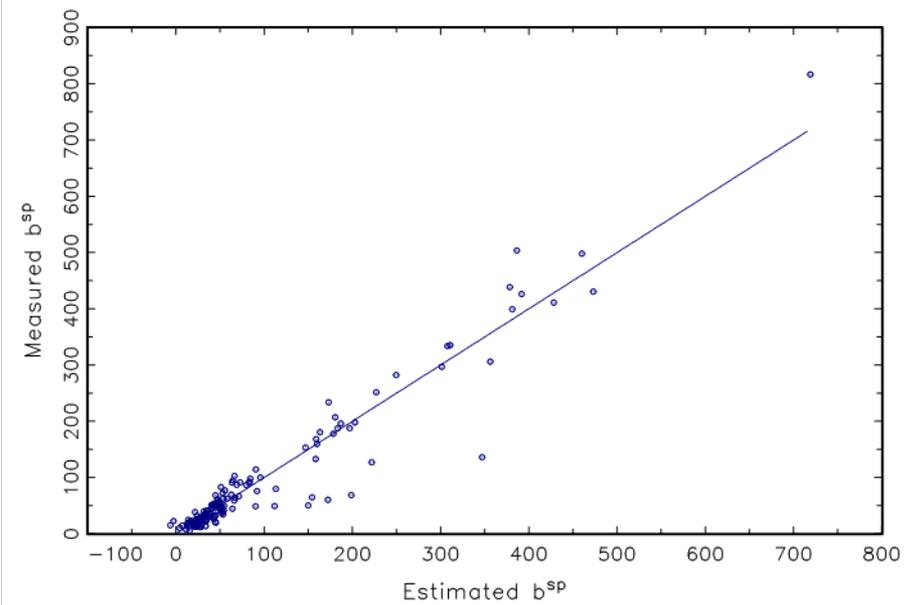


Average Diurnal Variation of bextp(0) JST 2005-07

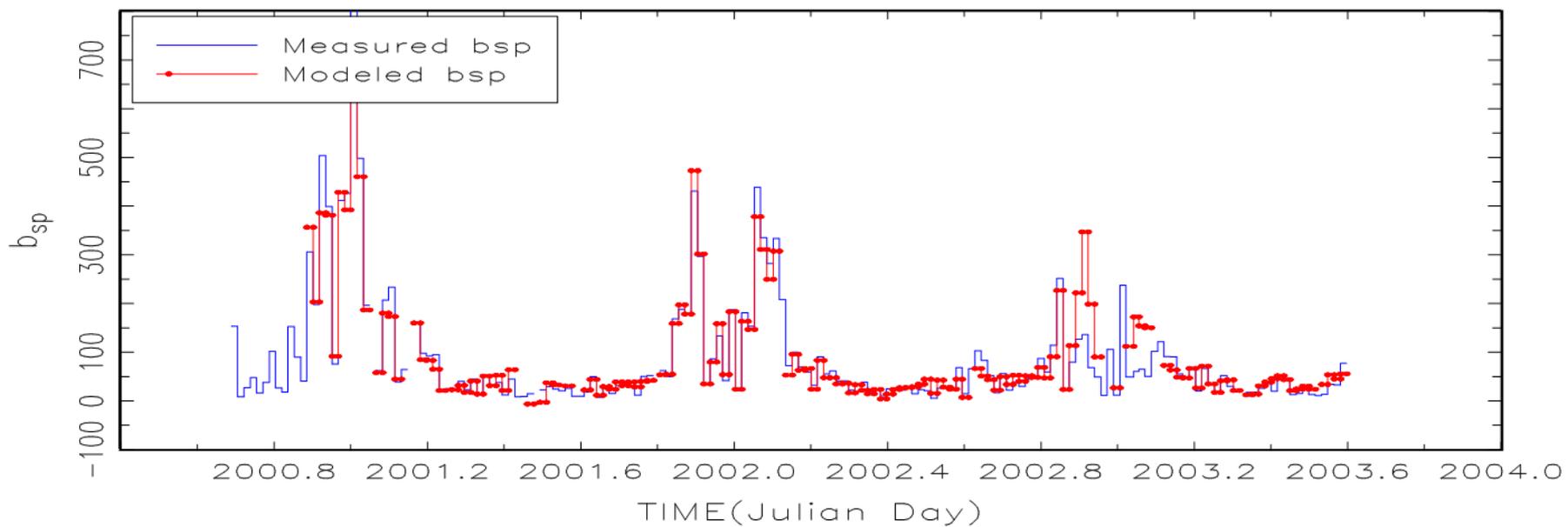


Average Diurnal Variation of bextp(RH) JST 2005-07



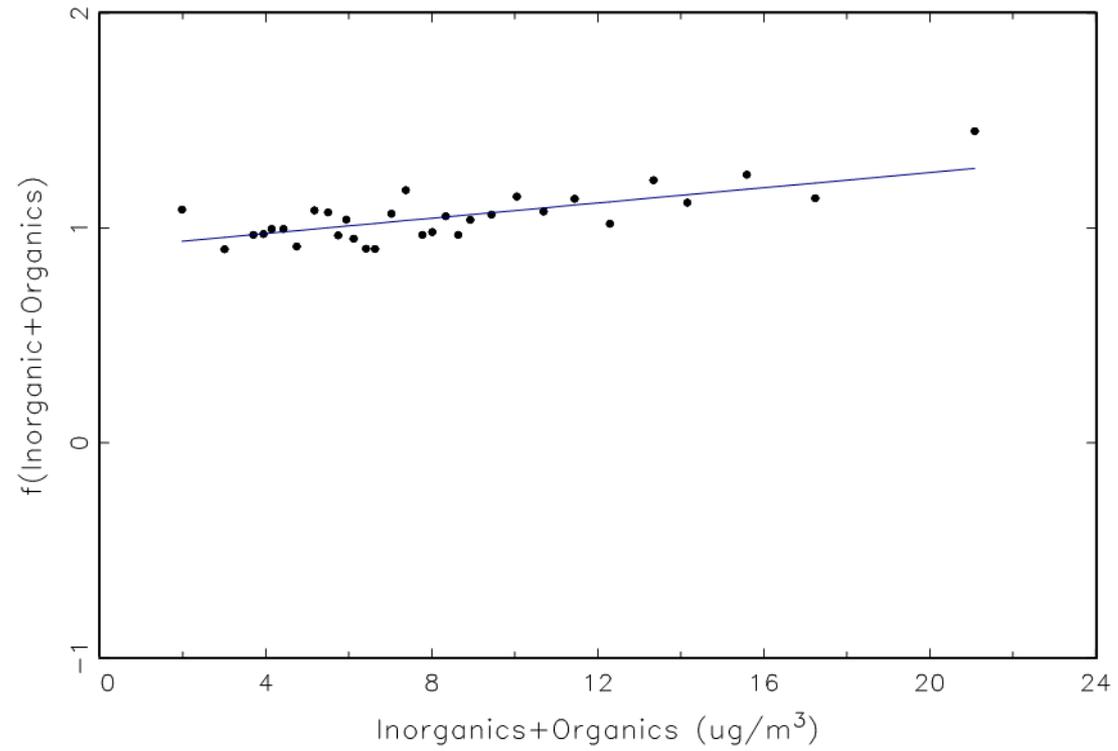


Fresno

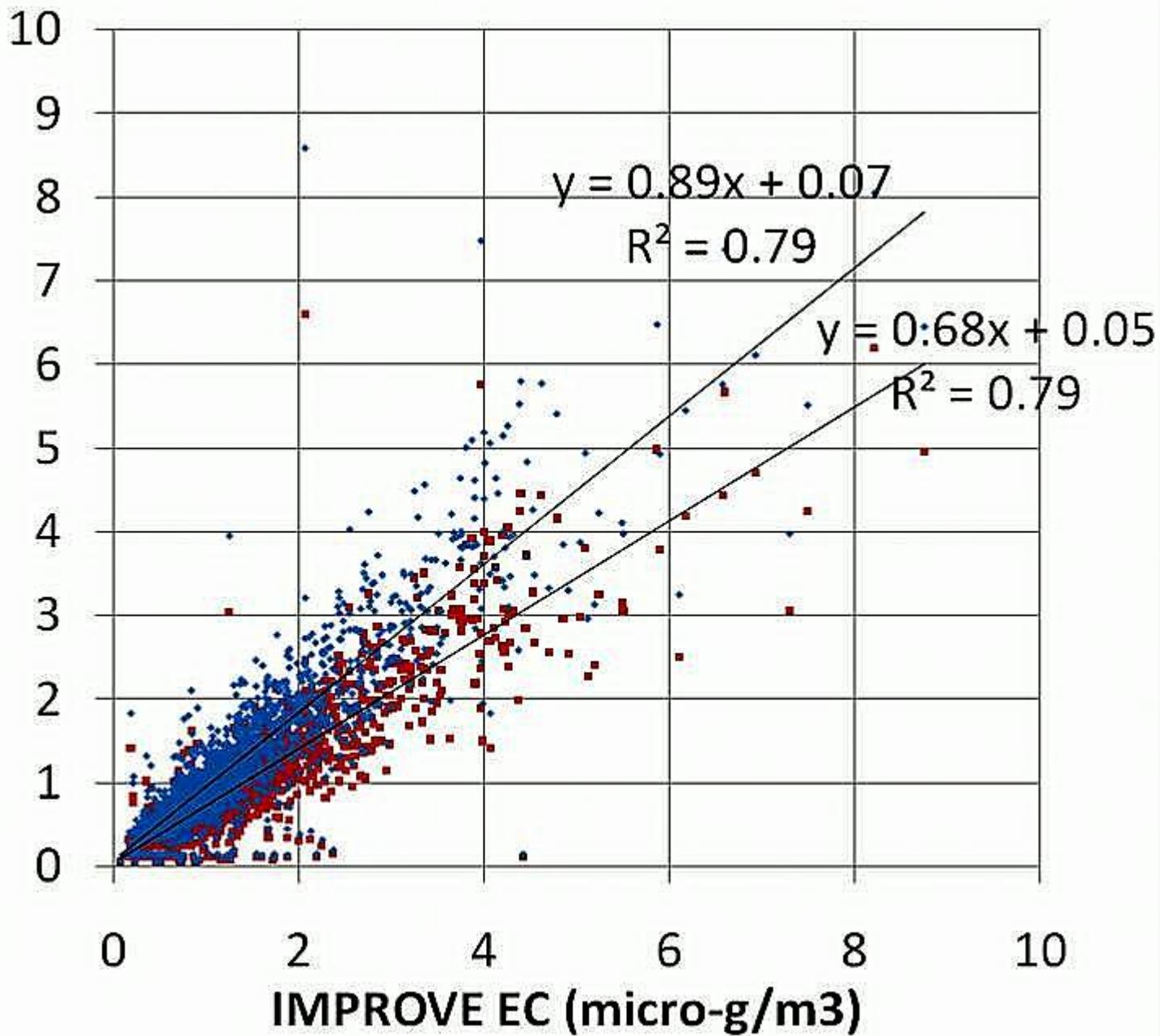


END

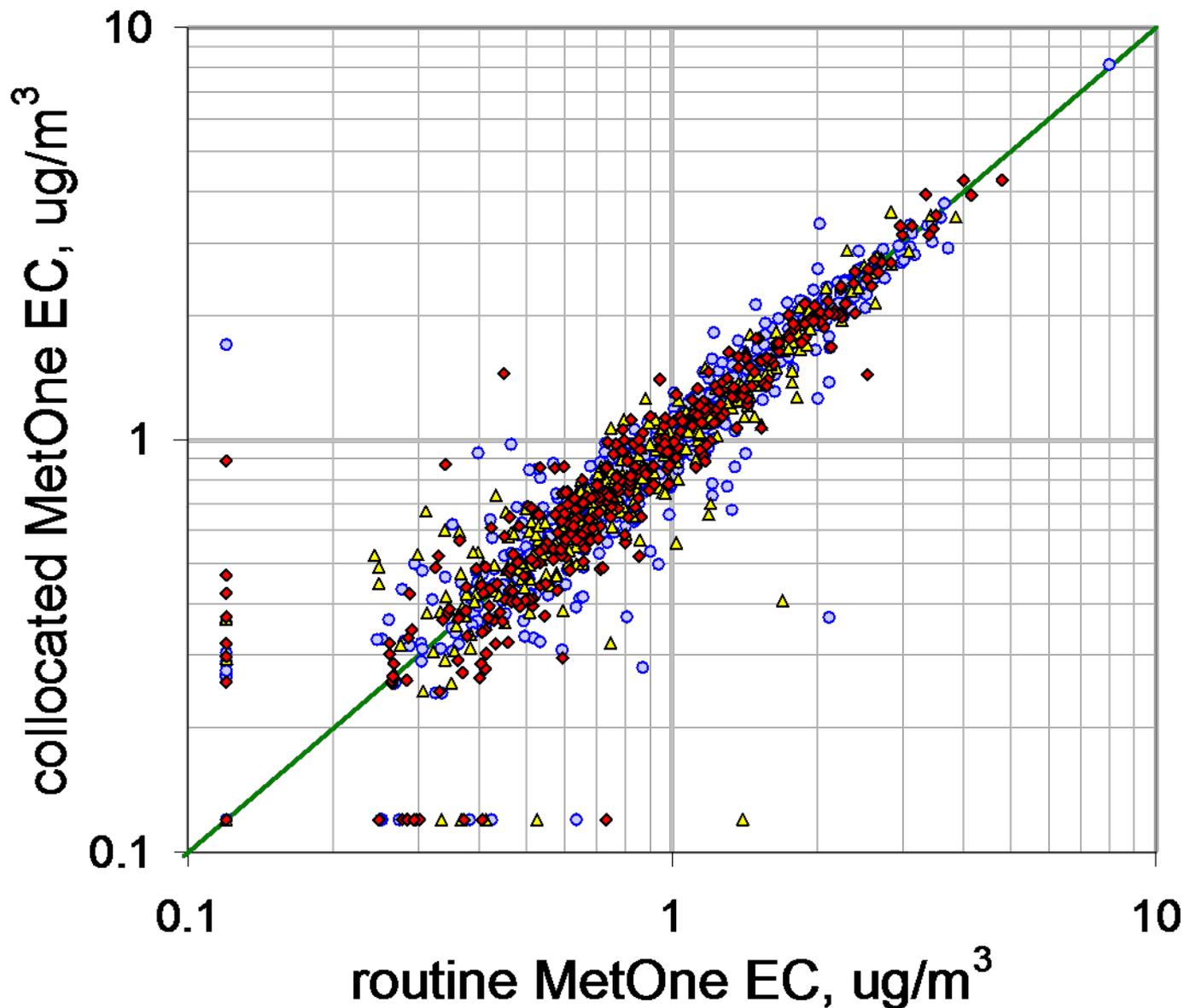
OUTLYING



CSN or Adjusted EC (micro-g/m3)



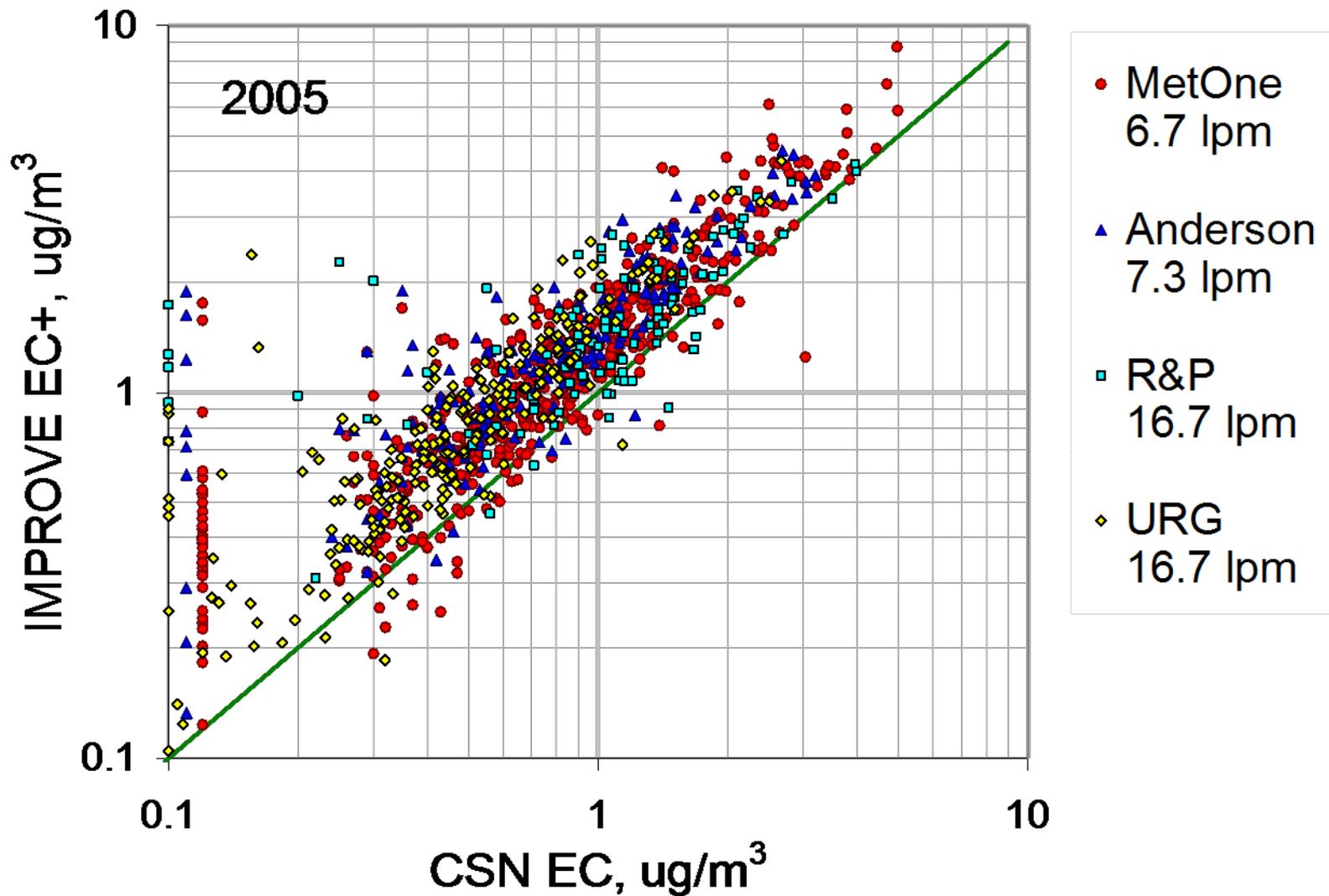
■ CSN EC · CSN EC Adj



- 2003-4
- △ 2005
- ◆ 2006

Considerably more scatter is observed in routine CSN measurements by collocated MetOne samplers, particularly in the earlier years.

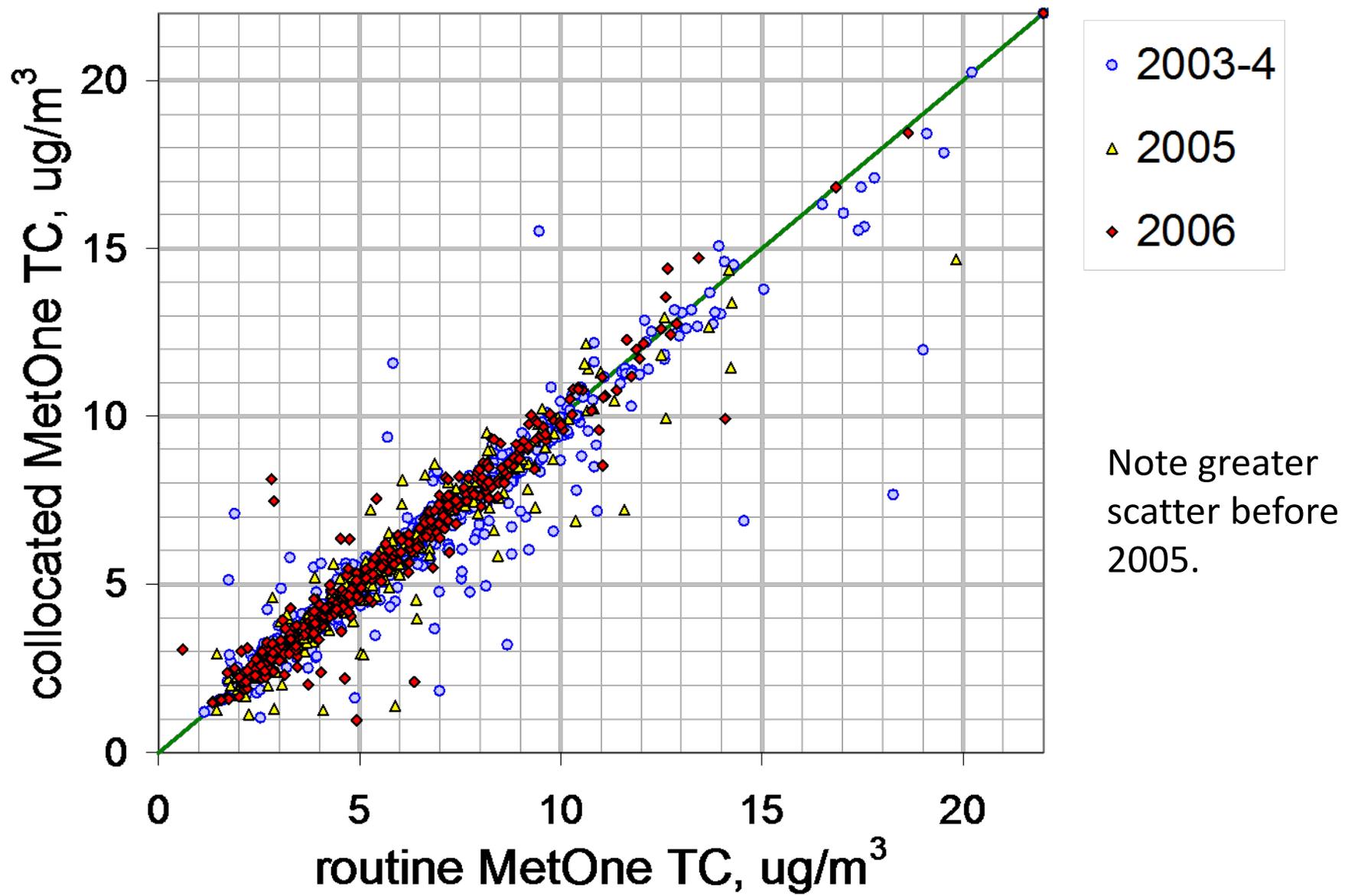
Data are from Bakersfield,* Boston,* Cleveland,* New Brunswick* and Rubidoux.
 * **Not** collocated with IMPROVE



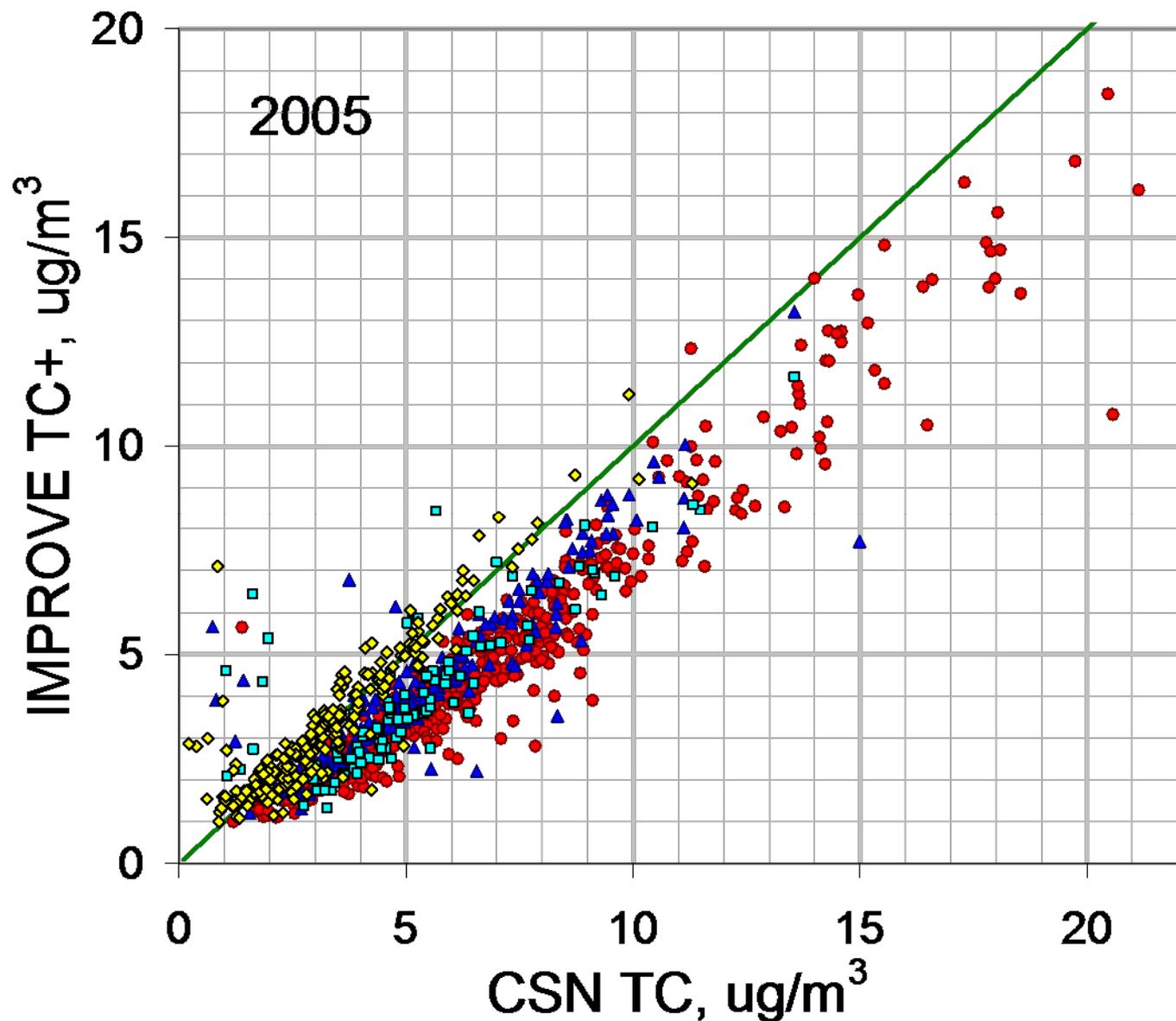
- The EC difference between CSN and IMPROVE shows little dependence on the CSN sampler, suggesting that it is mainly analytical.
- The bias is rather uniform in the log-log plot indicating it is dominated by multiplicative errors

EC – the short story:

- $\varepsilon_{IMP} \cong 0$, $\varepsilon_{IMP} = \textit{artifact_adj}$
- $IMP_{new} \cong \alpha CSN$, $\alpha > 1$
- $CSN_{\phi} \cong CSN_{\varphi}$, $\phi \neq \varphi$ *samplers*
- EC has little to no positive artifact for both IMPROVE and CSN
- Multiplicative bias between CSN and IMPROVE that is sampler independent



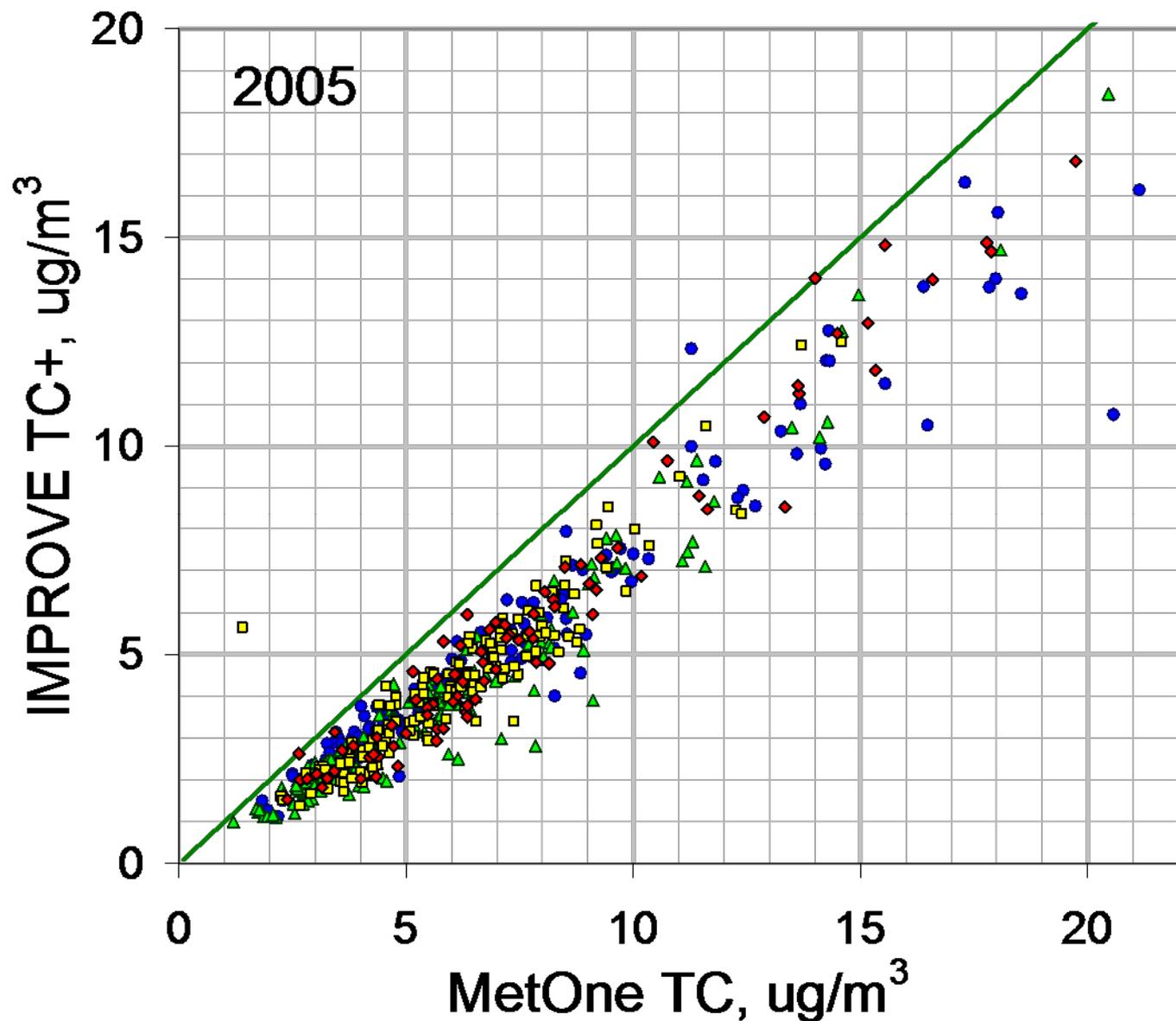
Data are from Bakersfield,* Boston,* Cleveland,* New Brunswick* and Rubidoux.
 * **Not** collocated with IMPROVE



- MetOne
6.7 lpm
- ▲ Anderson
7.3 lpm
- R&P
16.7 lpm
- ◆ URG
16.7 lpm

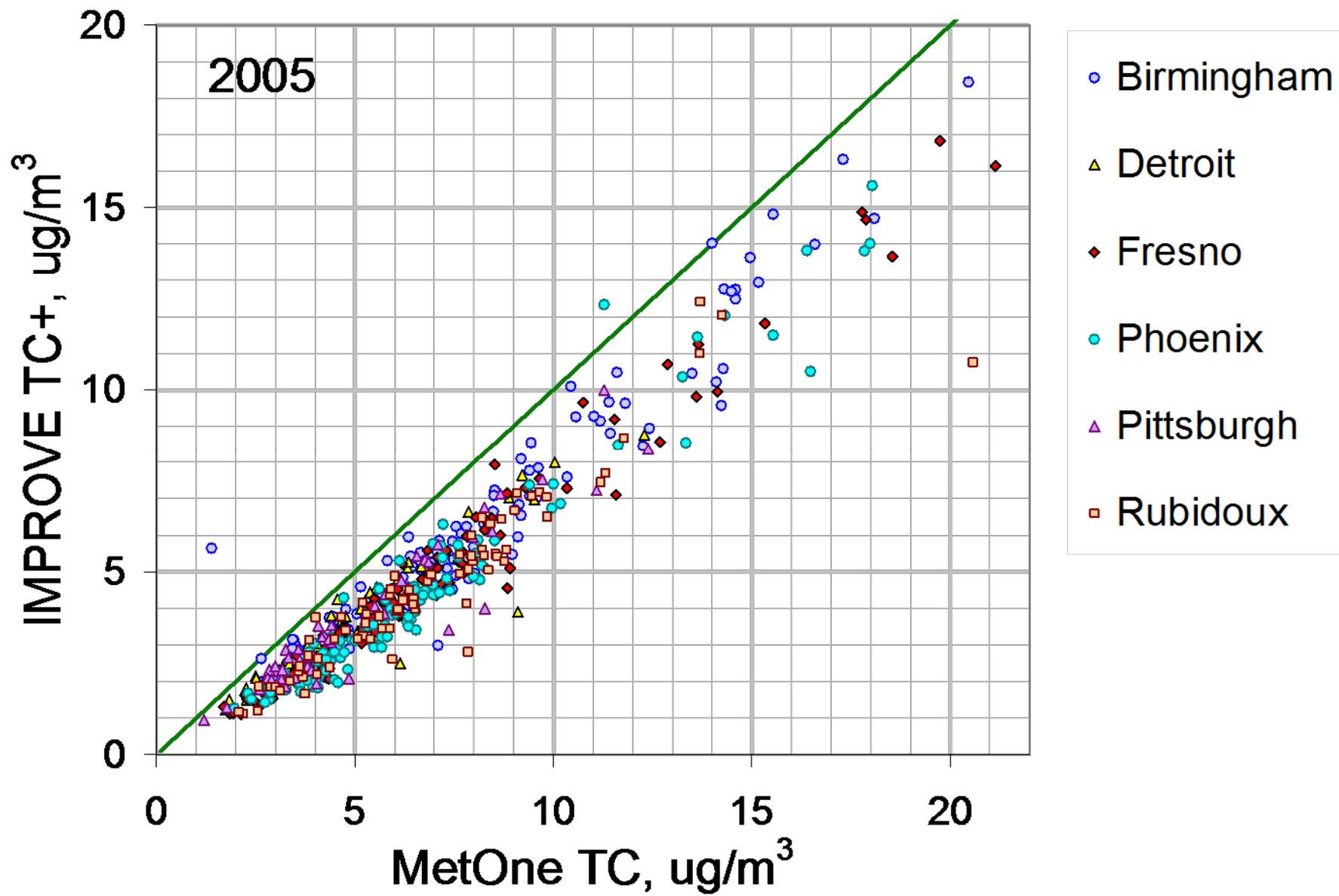
For TC, *unlike EC*, different CSN samplers show different biases relative to IMPROVE.

Note that the CSN offset is *not* determined simply by flow rate.



- Dec, Jan, Feb
- ▲ Mar, Apr, May
- Jun, Jul, Aug
- ◆ Sep, Oct, Nov

The CSN offset shows no obvious seasonality. In that respect it behaves more like IMPROVE field blanks than IMPROVE backup filters.



TC – the short story:

$$\varepsilon_{IMP} = \textit{artifact_adj}$$

$$IMP_{new} \cong \lambda (CSN - \theta), \quad \lambda < 1, \theta > 0$$

$$CSN_{\phi} \neq CSN_{\varphi}, \quad \phi \neq \varphi \textit{ samplers}$$

Relating IMPROVE and CSN EC

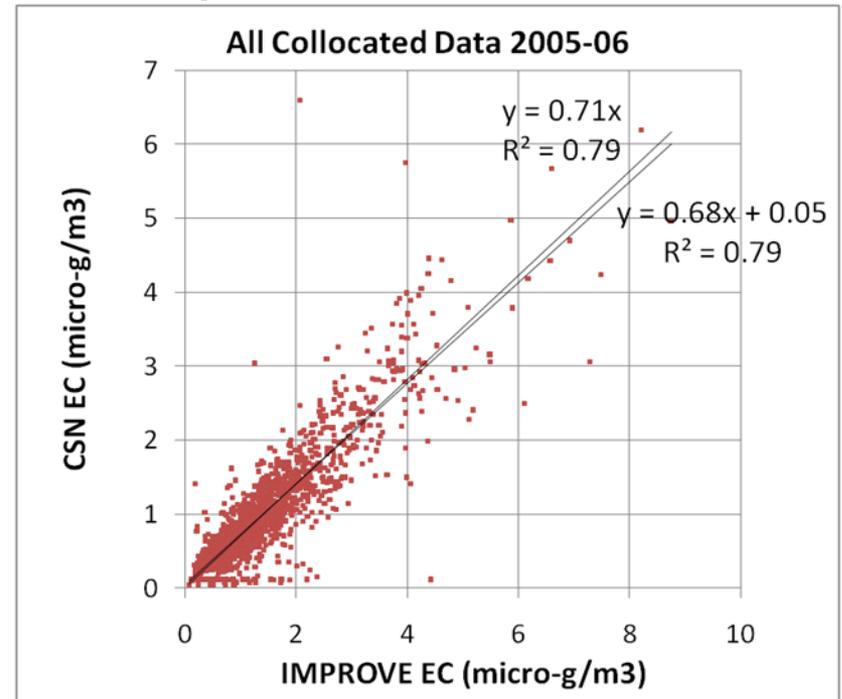
Making CSN look like IMPROVE

- Recall

- EC has little to no positive artifact for both IMPROVE and CSN
- CSN and IMPROVE have a multiplicative bias that is sampler independent

- $EC_{IMP} = \alpha * EC_{CSN}$

- $\alpha \sim 0.3$



Relating IMPROVE and CSN TC

Making CSN look like IMPROVE

- Recall

- Measured TC has a positive OC artifact.
 - IMPROVE corrects for the artifact but CSN does not
- TC has a negative multiplicative artifact due loss of OC from high face velocities (FV)
 - IMPROVE FV = 107.2 cm/s
 - CSM MetOne FV = 9.5 cm/s
- Assume CSN negative artifact is 0

- Then

$$[TC]^{IMP} = [TC] - B^{IMP}[OC]$$

B - multiplicative artifact

$$[TC]^{CSN} = [TC] + A^{CSN}/V_{MetOne}$$

A/V – additive artifact

- Combine

$$[TC]^{CSN} = [TC]^{IMP} + B^{IMP}[OC] + A^{CSN}/V_{MetOne}$$